

geophysical electromagnetics
imaging the subsurface from shallow to deep

Lindsey Heagy

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some important problems



minerals



contaminants



water



geothermal



geotechnical



slope stability



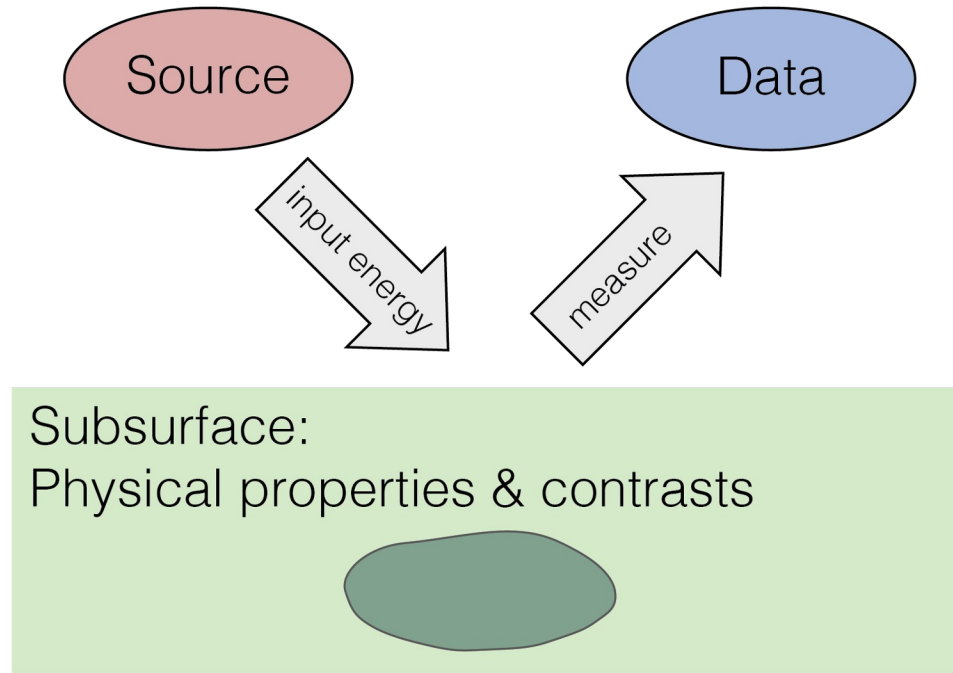
hydrocarbons



unexploded ordnance

have in common: need to (non-invasively) image the subsurface

geophysical experiments & physical properties



physical properties are intrinsic to a material (density, susceptibility, conductivity...)

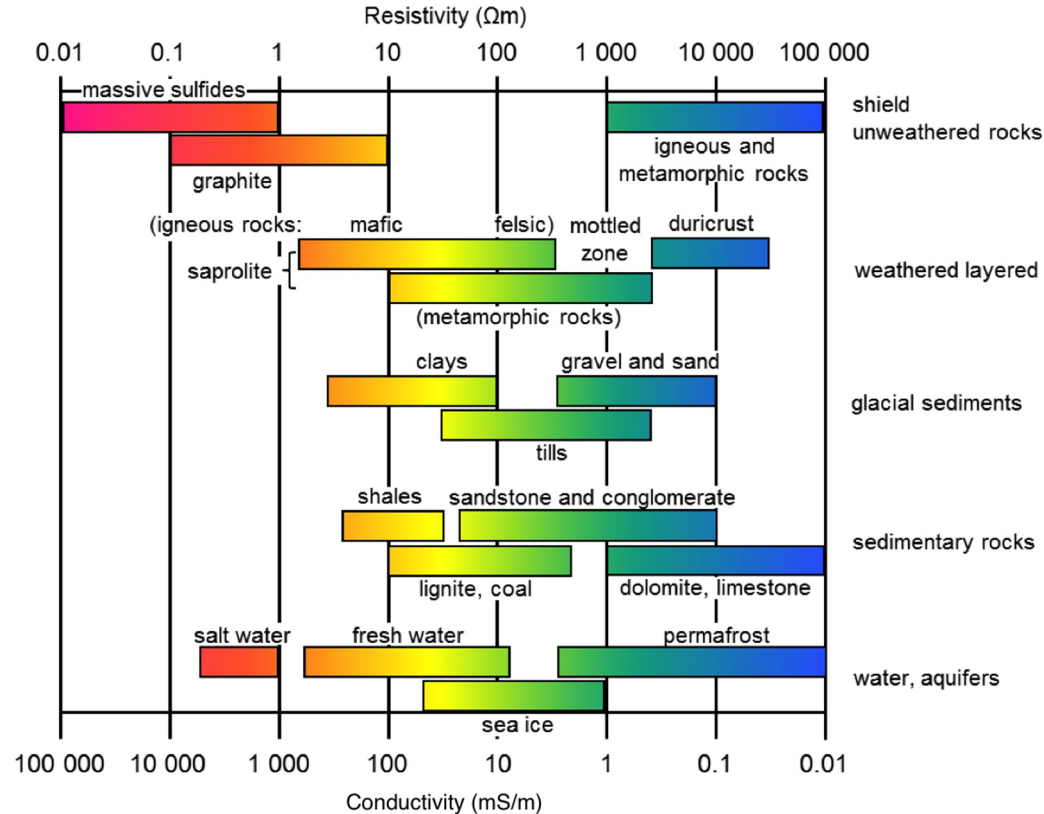
electrical conductivity / resistivity

A measure of how easily current passes through a material

- σ : conductivity [S/m]
- ρ : resistivity [Ωm]
- $\rho = 1/\sigma$

Depends on many factors

- Mineralogy
- Porosity
- Permeability
- Nature of pore fluid



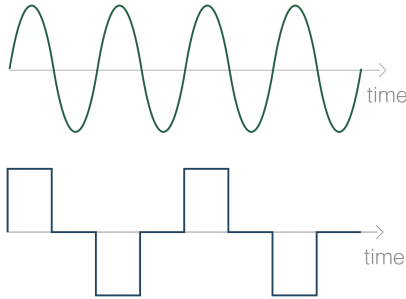
electromagnetic experiments

Sources:

- grounded or inductive
- controlled or natural

Waveform

- harmonic (FDEM)
- transient (TDEM)

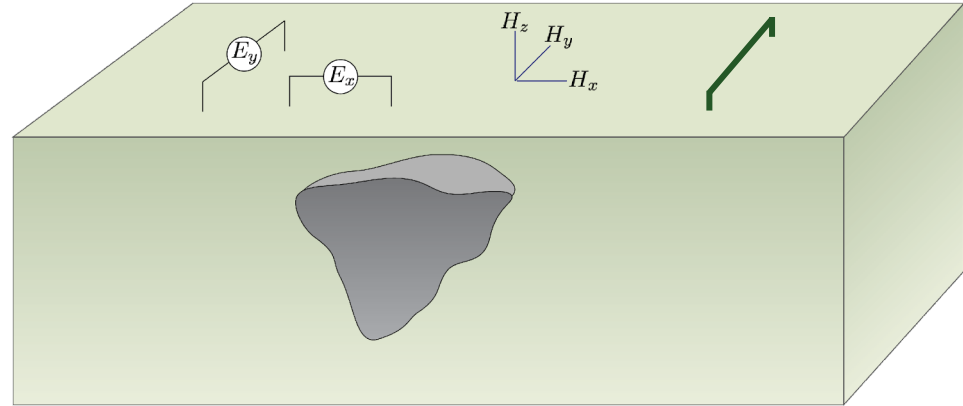
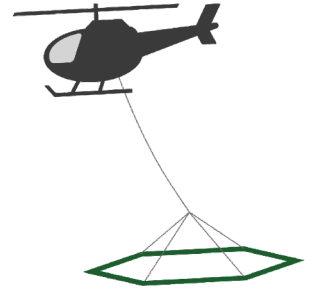


Survey location

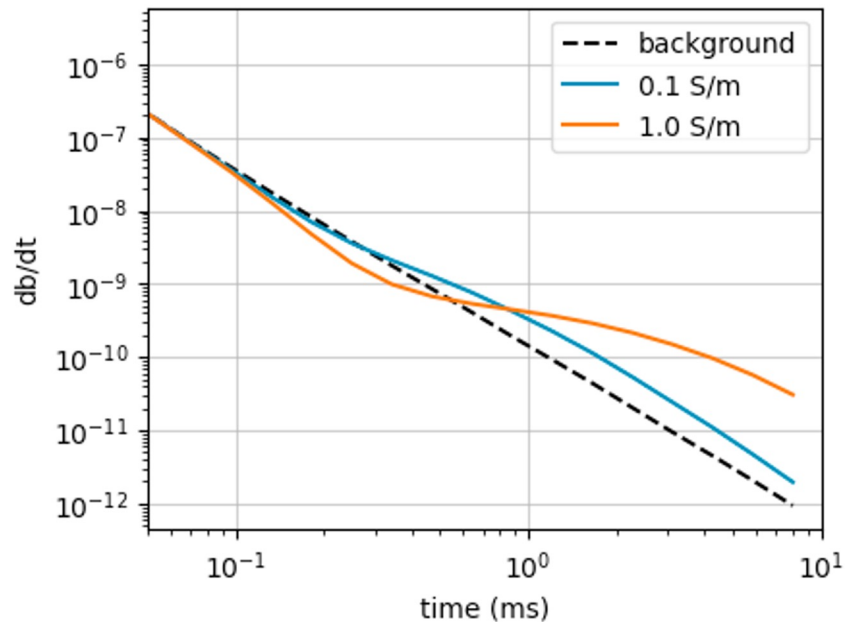
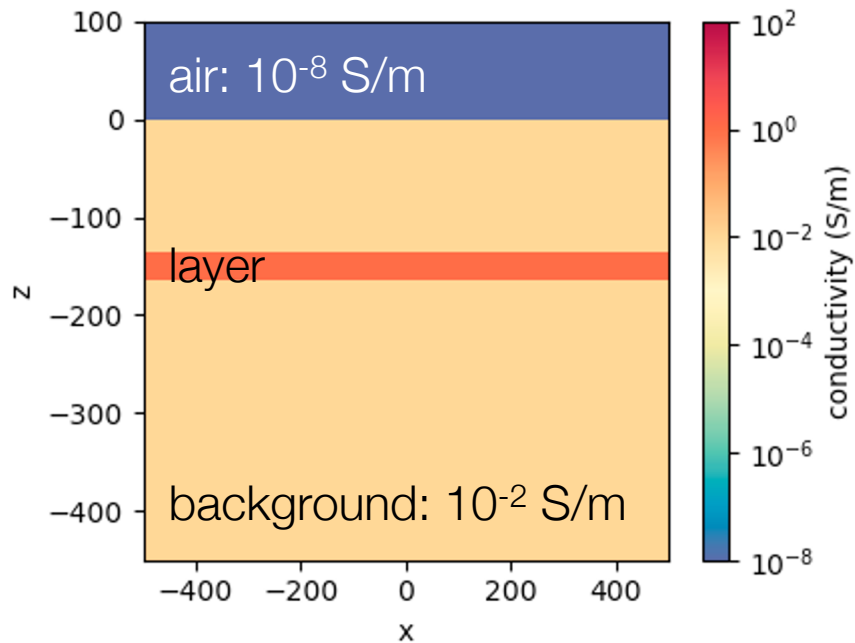
- airborne
- ground
- boreholes

$$\nabla \times \vec{e} = -\frac{\partial \vec{b}}{\partial t}$$

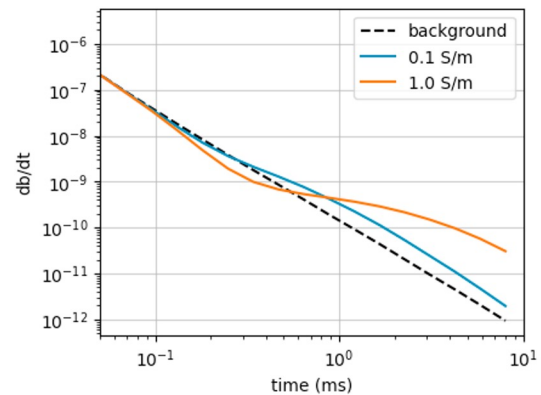
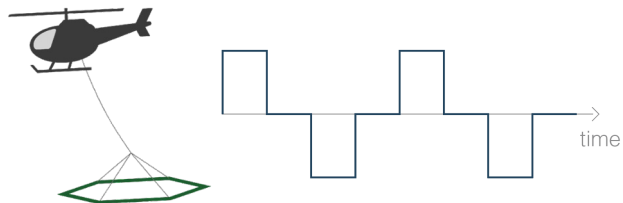
$$\nabla \times \vec{h} = \vec{j} + \frac{\partial \vec{d}}{\partial t}$$



inductive sources: time-domain

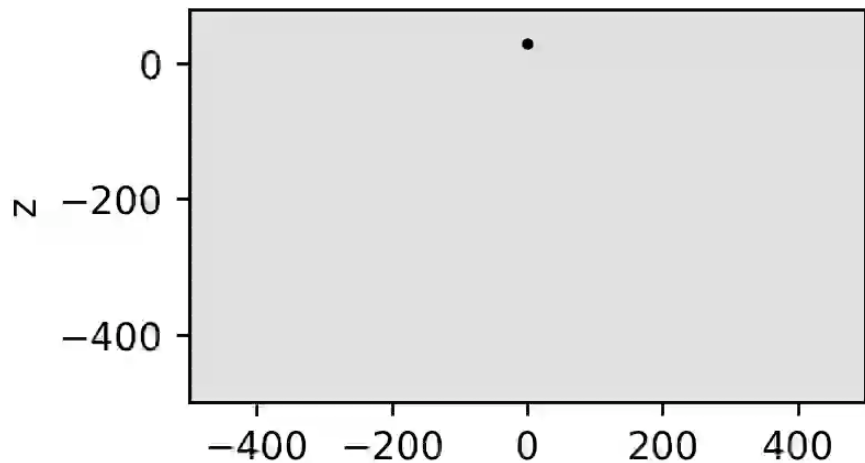


inductive sources: time-domain

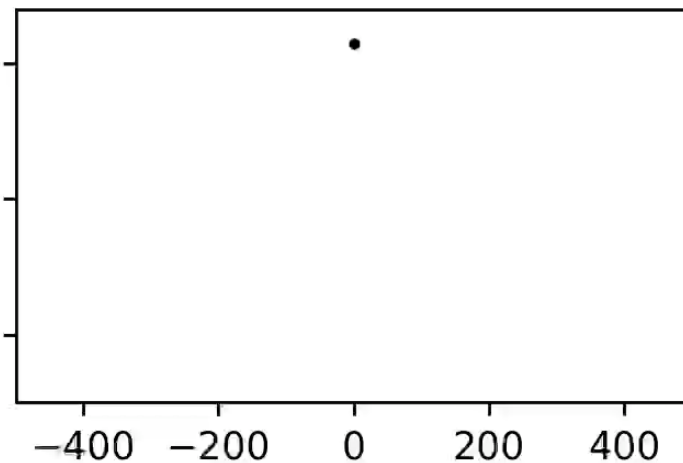


current density

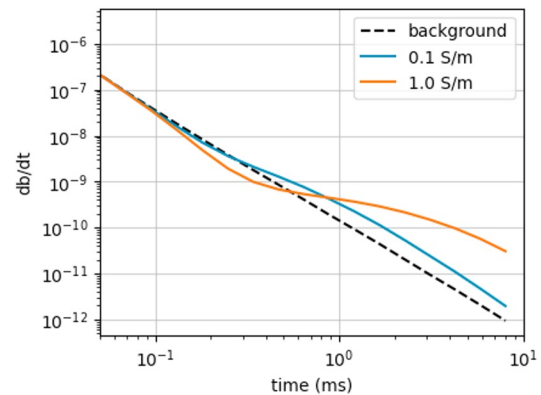
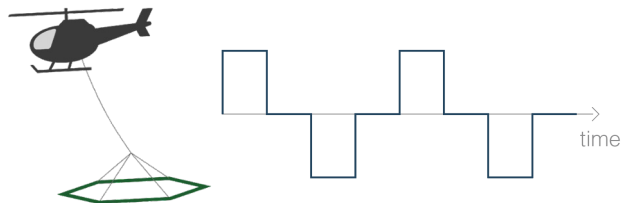
$t=0.00$ ms



db/dt

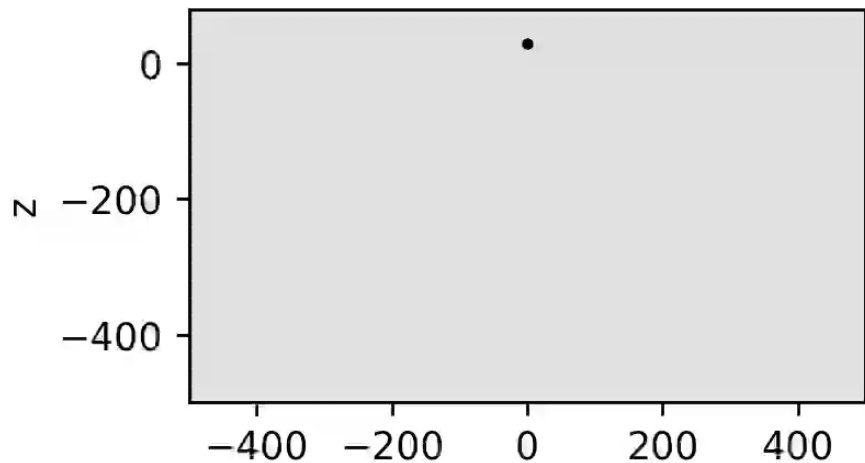


inductive sources: time-domain

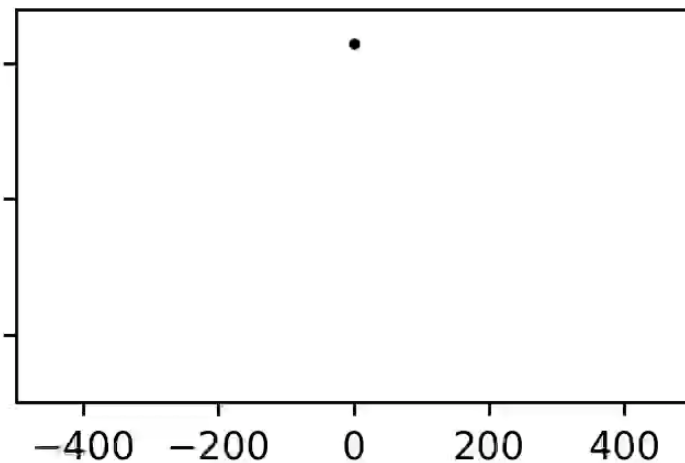


current density

$t=0.00$ ms



db/dt



physics: frequency domain

high frequency ~ early times,

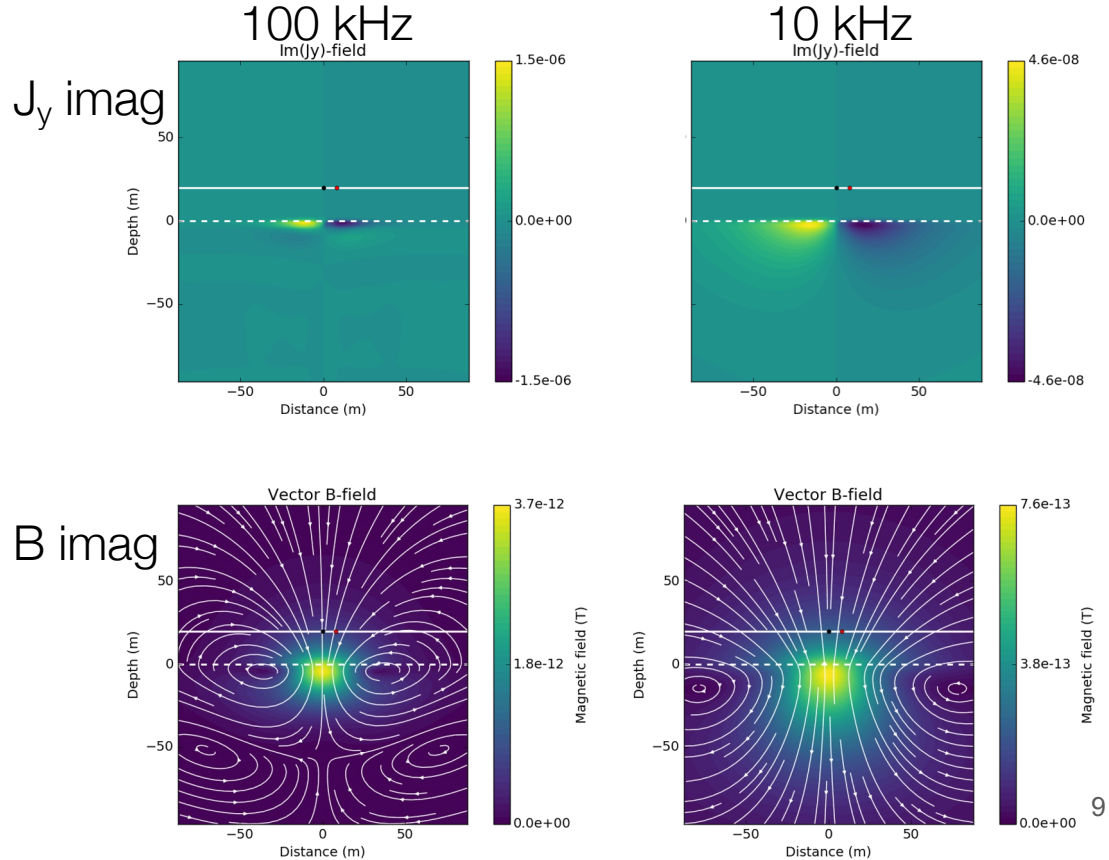
low frequency ~ later times

skin depth

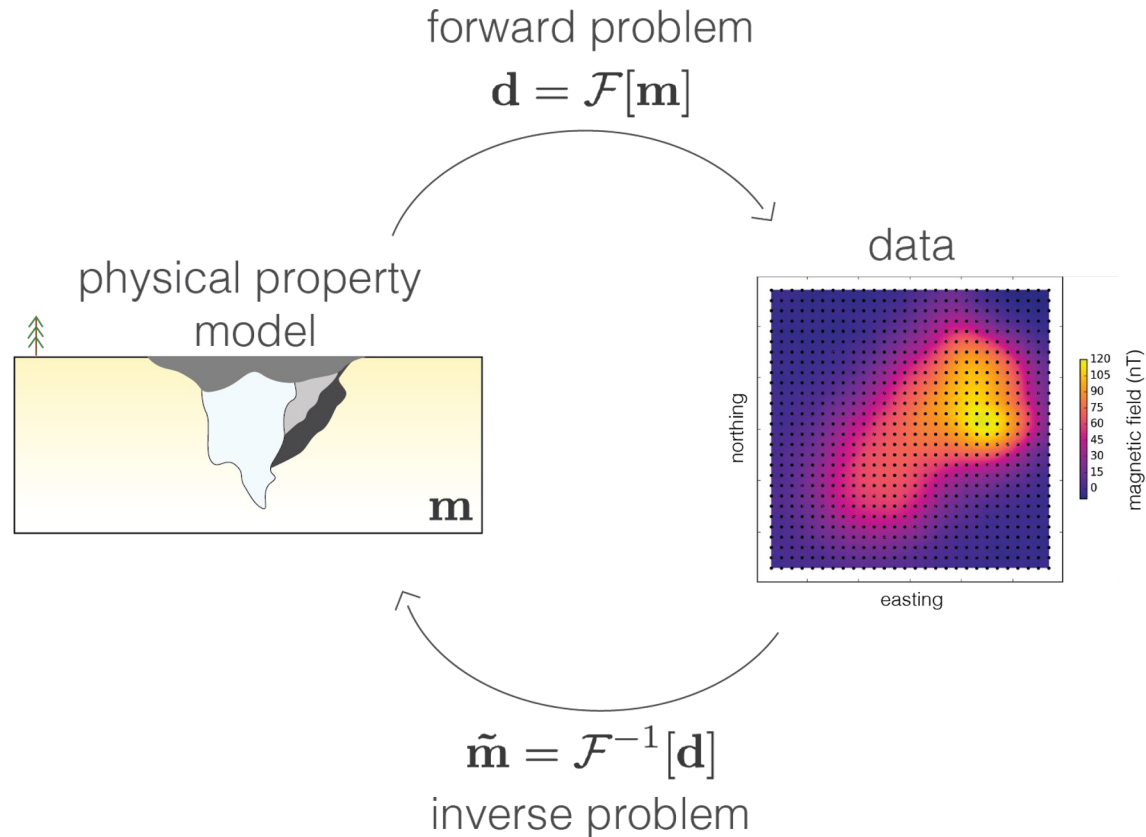
$$\delta = 503 \sqrt{\frac{\rho}{f}}$$

ρ : resistivity [Ωm]

f : frequency [Hz]



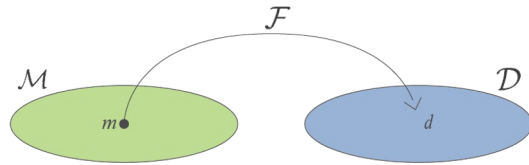
forward and inverse problems



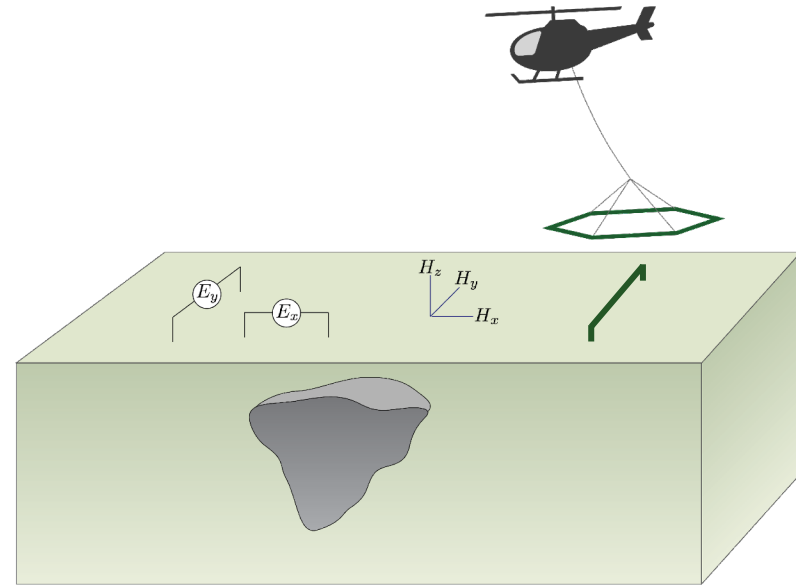
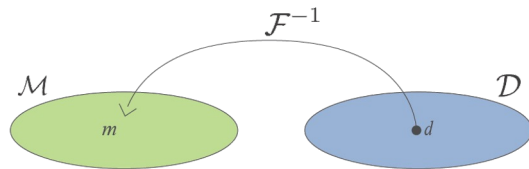
statement of the inverse problem

Given

- observations: d_j^{obs} , $j = 1, \dots, N$
- uncertainties: ϵ_j
- ability to forward model: $\mathcal{F}[m] = d$



Find the Earth model that gave rise to the data



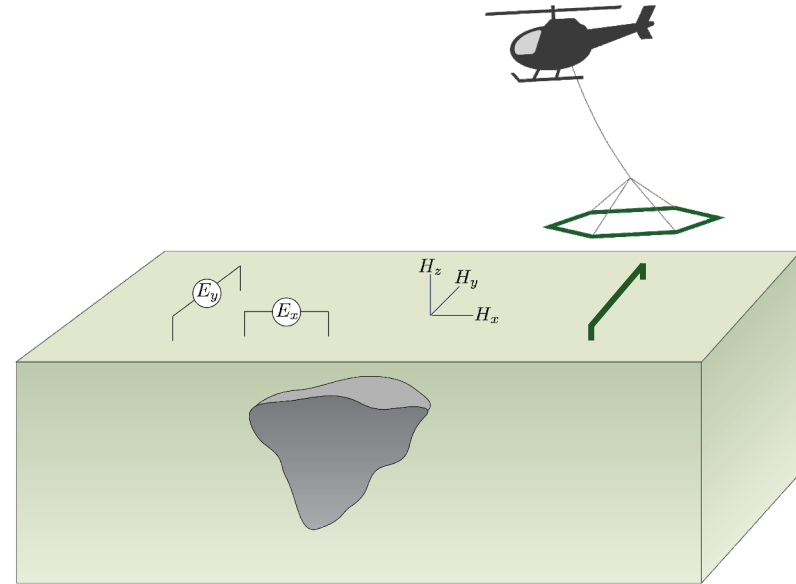
statement of the inverse problem

Given

- observations: d_j^{obs} , $j = 1, \dots, N$
- uncertainties: ϵ_j
- ability to forward model: $\mathcal{F}[m] = d$

Inverse problem: Find an Earth model that fits those data and a-priori information

$$\begin{aligned} \min_{\mathbf{m}} \phi(\mathbf{m}) &= \phi_d(\mathbf{m}) + \beta\phi_m(\mathbf{m}) \\ \text{s.t. } \phi_d &\leq \phi_d^* \quad \mathbf{m}_L \leq \mathbf{m} \leq \mathbf{m}_U \end{aligned}$$





Simulation and parameter estimation in geophysics

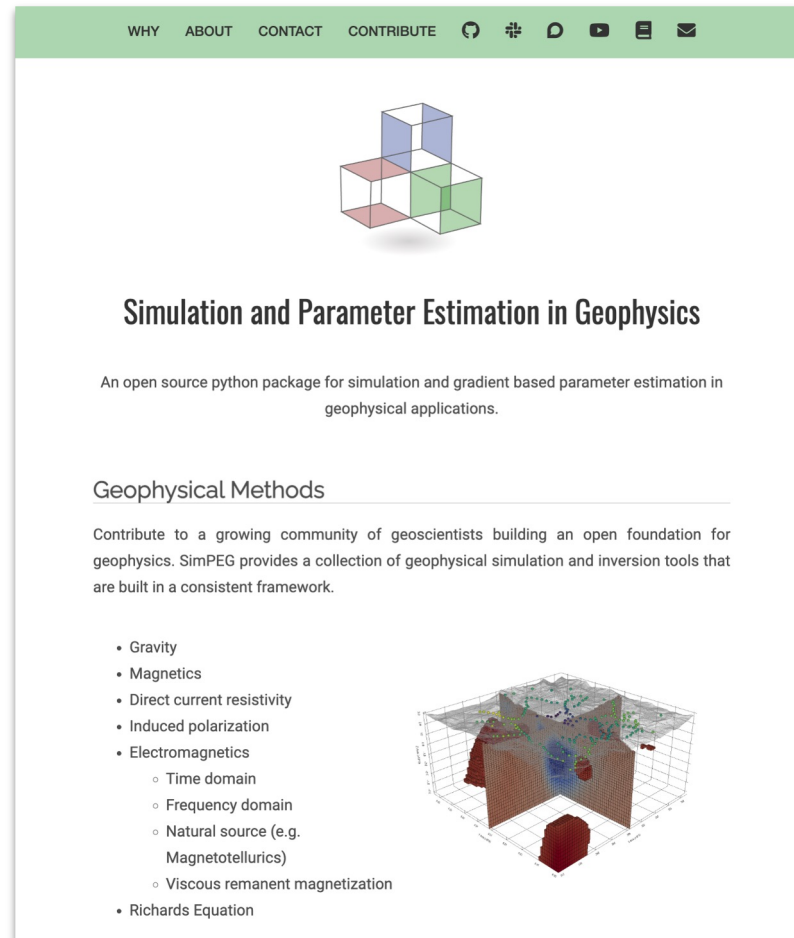
common framework for simulations & inversions

accelerate research: build upon others work

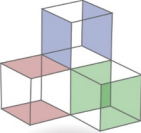
facilitate reproducibility of results

build & deploy in python

open-source

A screenshot of the simpeg website. The header is green with navigation links: WHY, ABOUT, CONTACT, CONTRIBUTE, and social media icons. Below the header is the simpeg logo. The main heading is "Simulation and Parameter Estimation in Geophysics". A sub-heading reads: "An open source python package for simulation and gradient based parameter estimation in geophysical applications." Below this is a section titled "Geophysical Methods" with a list of methods: Gravity, Magnetics, Direct current resistivity, Induced polarization, Electromagnetics (with sub-items: Time domain, Frequency domain, Natural source (e.g. Magnetotellurics), Viscous remanent magnetization), and Richards Equation. To the right of the list is a 3D visualization of a subsurface model with various colored regions and data points.

WHY ABOUT CONTACT CONTRIBUTE



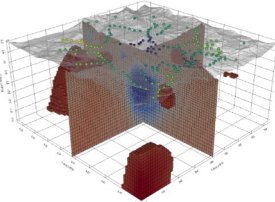
Simulation and Parameter Estimation in Geophysics

An open source python package for simulation and gradient based parameter estimation in geophysical applications.

Geophysical Methods

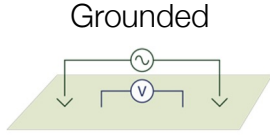
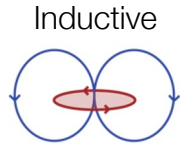
Contribute to a growing community of geoscientists building an open foundation for geophysics. SimPEG provides a collection of geophysical simulation and inversion tools that are built in a consistent framework.

- Gravity
- Magnetics
- Direct current resistivity
- Induced polarization
- Electromagnetics
 - Time domain
 - Frequency domain
 - Natural source (e.g. Magnetotellurics)
 - Viscous remanent magnetization
- Richards Equation



Multi-scale EM geophysical methods

Controlled-source EM



Natural source EM



Depth from the surface

meters

Tens of
meters

Hundreds
of meters

Kilometers

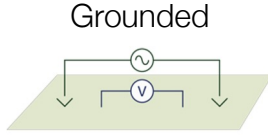
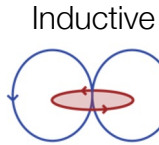
Tens of
kilometers

Hundreds of
kilometers

Multi-scale EM geophysical methods

Controlled-source EM

Natural source EM



Depth from the surface



meters

Tens of meters

Hundreds of meters

Kilometers

Tens of kilometers

Hundreds of kilometers

Ground-based EM

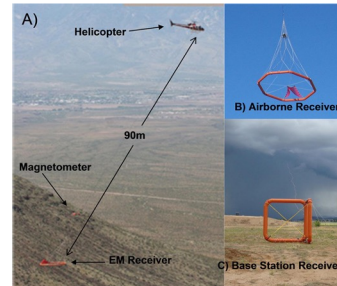
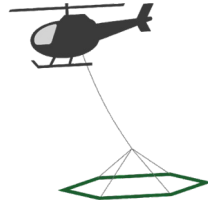
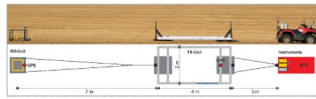
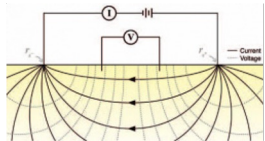
Airborne EM (AEM)

Z-axis Tipper EM (ZTEM)

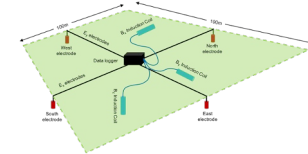
Magnetotellurics (MT)

ERT

Towed-TEM



15



C) Base Station Receiver

important problems: scales and surveys



minerals



contaminants



water



geothermal



geotechnical



slope stability



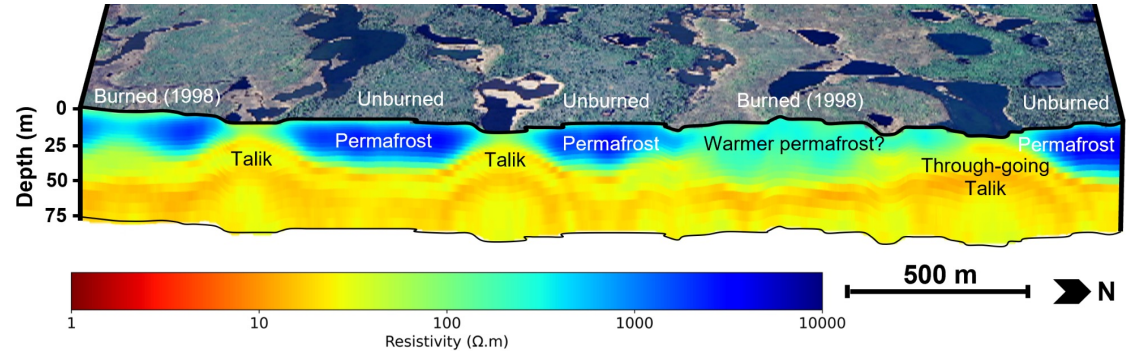
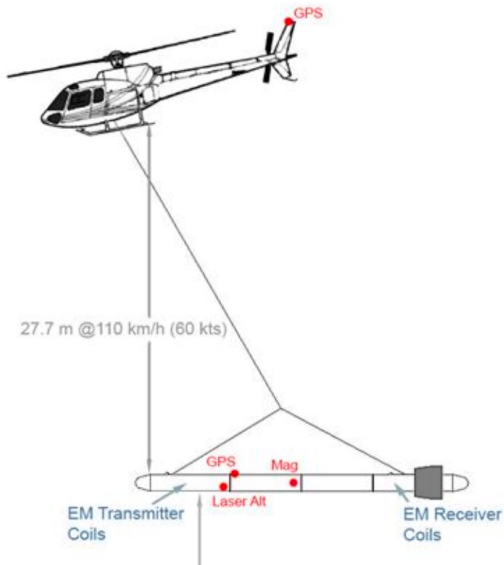
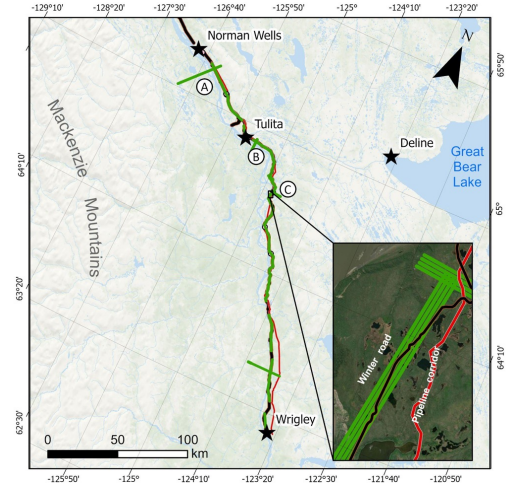
hydrocarbons



unexploded ordnance

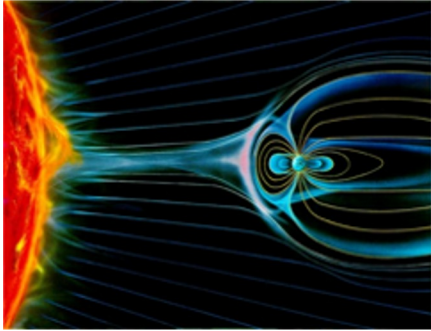
permafrost: near surface, large areas

Airborne : cover large areas
Frequency-domain EM system
(400Hz – 135k Hz)

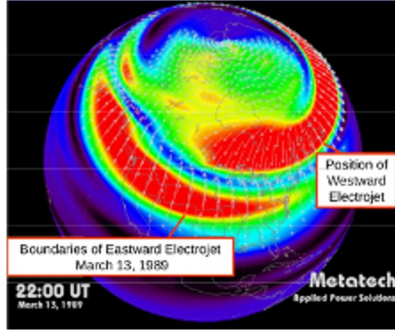


minerals, geothermal: large scales & seeing deep

natural source: rely on lightning strikes, solar wind as our source (unknown strength)



lightning



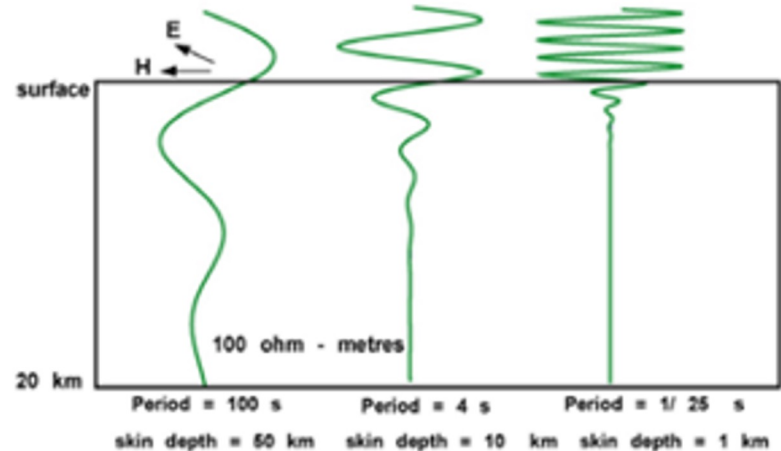
aurora



skin depth (m)

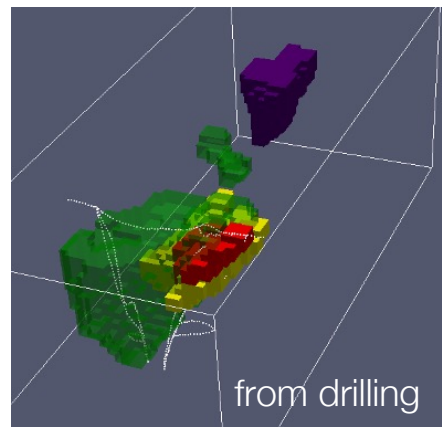
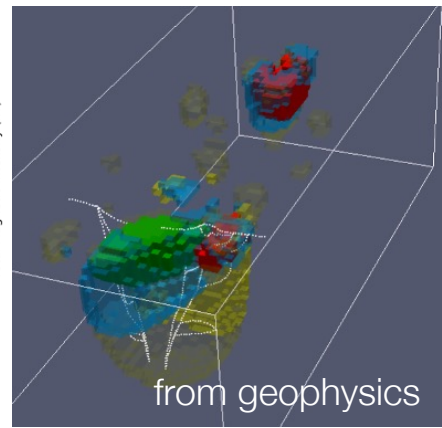
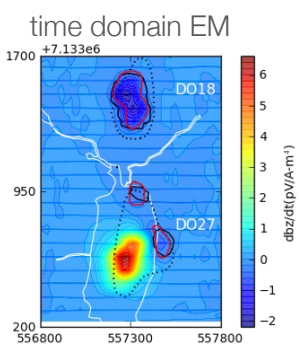
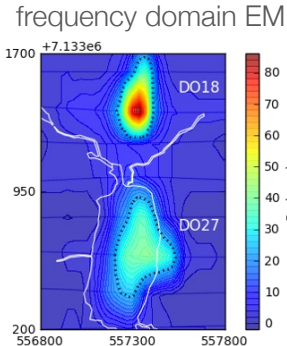
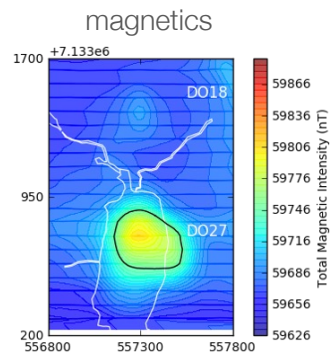
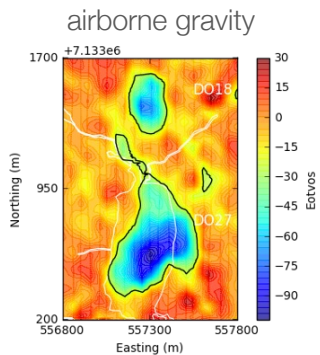
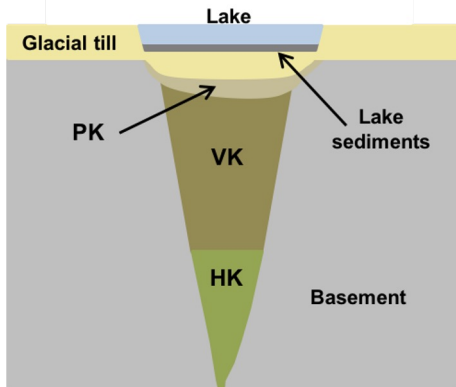
$$\delta = 503 \sqrt{\frac{\rho}{f}}$$

ρ : resistivity [Ωm]
 f : frequency [Hz]



minerals: intermediate scale, multiple data types

Diamond exploration: rock units identified using multiple physical properties



Rock type	Glacial till	Host rock	HK	VK	PK
Density	Moderate	Moderate	Low	Low	Low
Susceptibility	None	None	High	Low-moderate	Low-moderate
Conductivity	Moderate-high	Low	Low-moderate	Moderate-high	Moderate-high
Chargeability	Low	Low	?	?	?

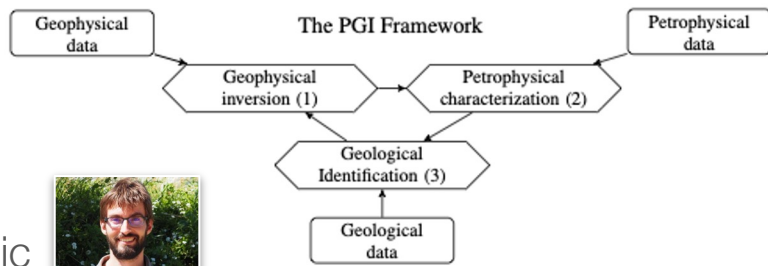
Devriese et al. 2017,
Fournier et al. 2017,
Kang et al. 2017

minerals: intermediate scale, multiple data types

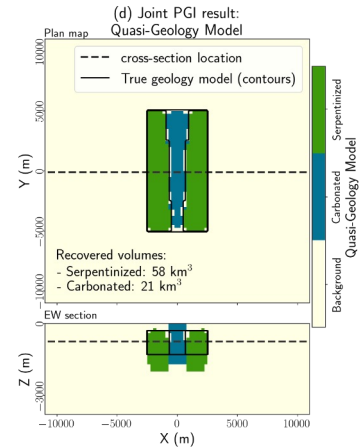
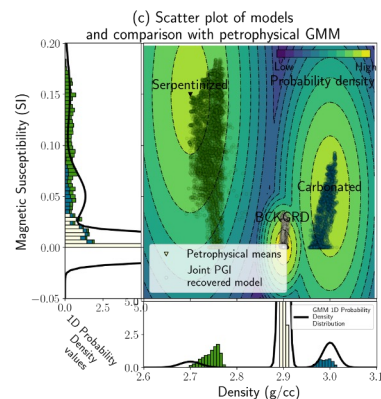
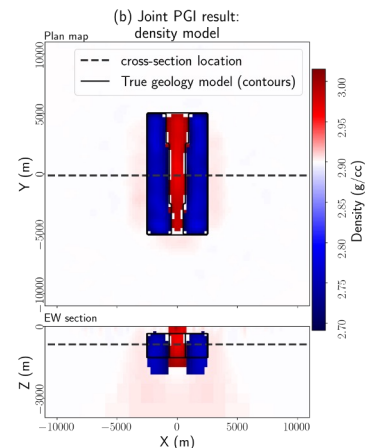
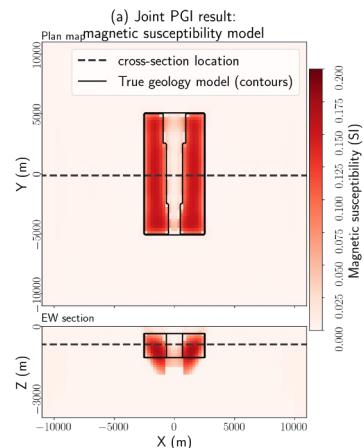
$$\phi_{\text{data}} = \phi_{\text{grav}} + \phi_{\text{mag}} \quad \# \text{ one earth?}$$

Petrophysically and Geologically Guided Inversion

- brings in petrophysical information (GMM)
- builds a quasi-geology model
- important components in the inversion
 - multiple data misfits
 - including petrophysical information



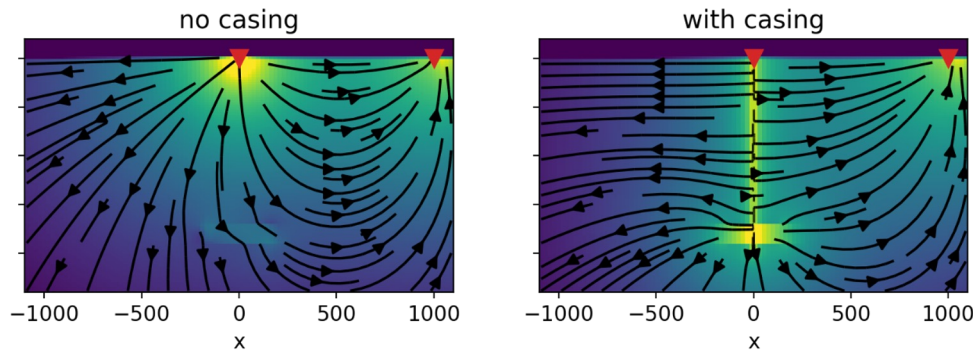
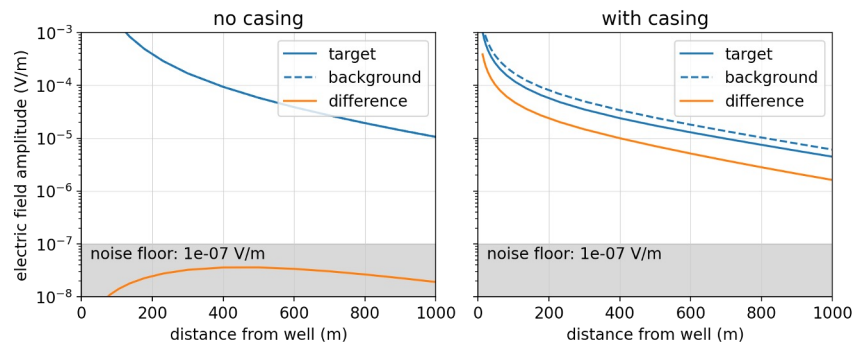
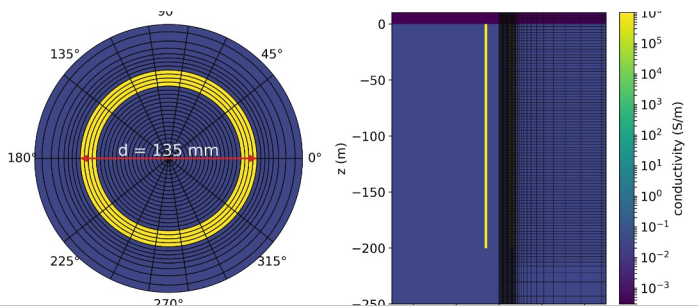
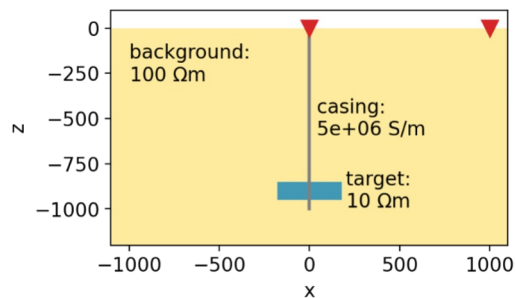
T. Astic



CO₂ sequestration, hydrocarbons: fine scales & large contrasts

steel casings: highly conductive, magnetic

grounded sources: helpful for exciting & detecting deep targets



unexploded ordnance: small scales

near surface (or seafloor), need to detect & classify UXO vs clutter



?

This rocket warhead was found in September, 2008.
DEPARTMENT OF NATIONAL DEFENCE



A sign at the Goose Lake Range, on Okanagan Indian Band territory, warns of the presence of UXO. JEFF BASSETT/THE GLOBE AND MAIL

UXO



Not UXO



case studies



groundwater



CO₂ sequestration



unexploded ordnance

case studies



groundwater



CO₂ sequestration



unexploded ordnance

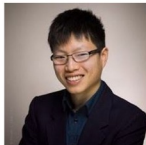
groundwater in Myanmar

Improving Water Security in Mon state,
Myanmar via Geophysical Capacity Building

- Bring geophysical equipment to Mon state Myanmar
- Train local stakeholders
- Provide open-source software & educational resources



Doug Oldenburg



Kevin Fan



Michael (Max)



Devin Cowan



Seogi Kang



Lindsey Heagy



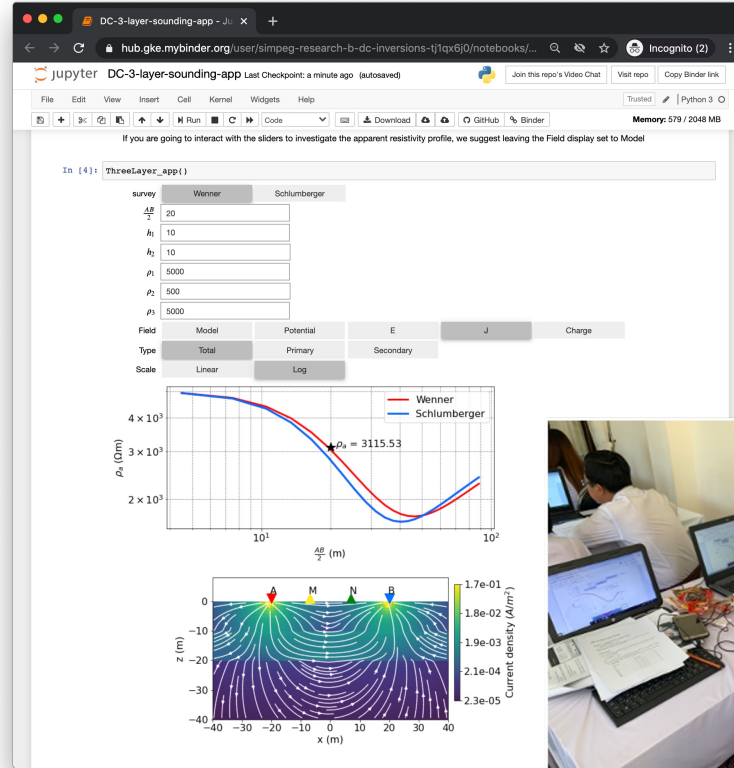
groundwater in Myanmar: important components

7 step framework for case studies

- Setup
- Physical properties
- Survey
- Data
- Processing
- Interpretation
- Synthesis

Open source software and resources

- Jupyter notebook “apps” for concepts and data processing



groundwater in Myanmar

7 step framework

- **Setup**
- Physical properties
- Survey
- Data
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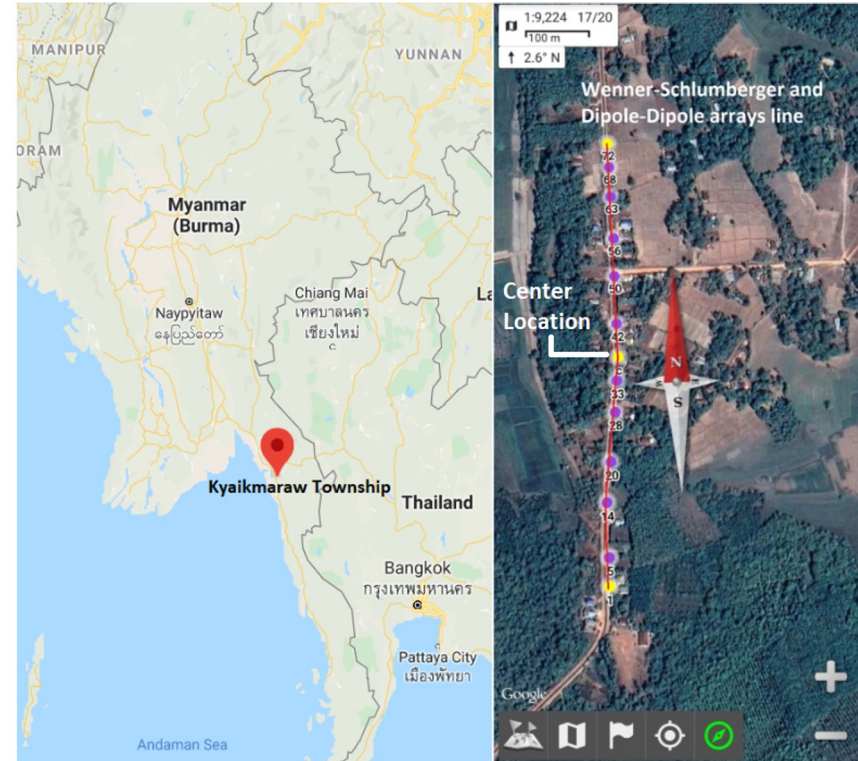
Phayar Ngoteto Village

In 2018: 1D inversion suggested aquifer at 30-50 m

- Well drilled to ~60 m: no significant water

In 2020 (before covid...):

- return and conduct a 2D survey

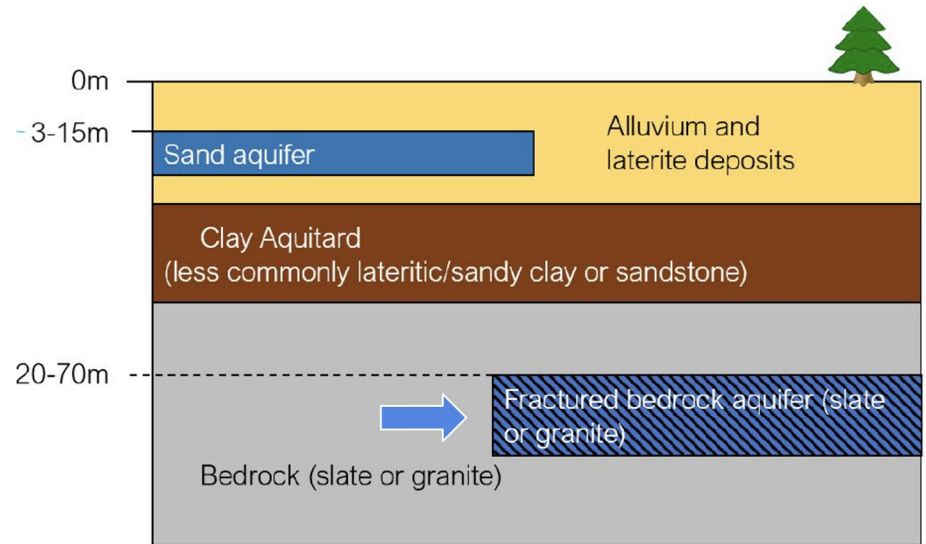


groundwater in Myanmar

7 step framework

- Setup
- **Physical properties**
- Survey
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Main diagnostic:
Water bearing region ~ 40-140 Ωm



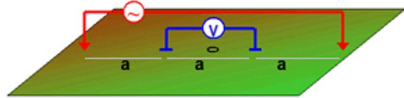
Hydrogeological Unit	Resistivity (Ωm)
Alluvium and laterite (dry)	200-800
Alluvium and laterite (saturated)	30
Sand aquifer	50-100
Clay aquitard	10-20
Bedrock (eg. granite)	500-1000
Fractured/Weathered bedrock (with fresh water)	40-400

groundwater in Myanmar

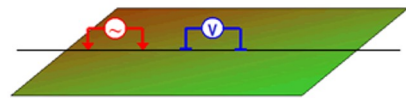
7 step framework

- Setup
- Physical properties
- **Survey**
- Data
- Processing
- Interpretation
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Survey: 2D DC resistivity



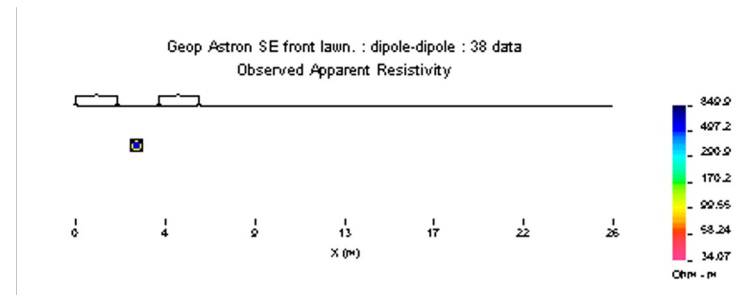
Wenner-Schlumberger



Dipole-Dipole



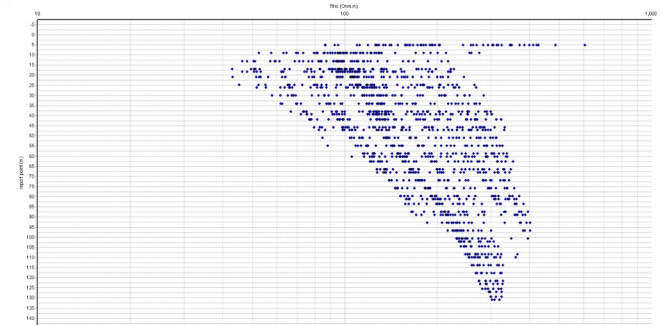
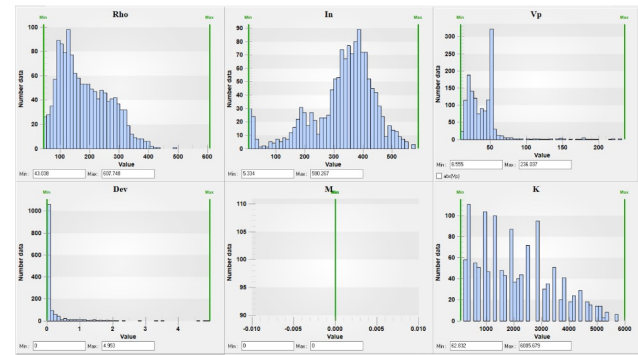
data plotted in pseudosections



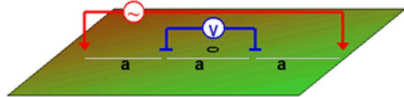
groundwater in Myanmar

7 step framework

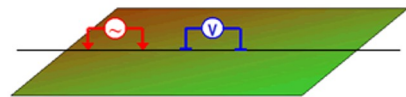
- Setup
- Physical properties
- Survey
- **Data**
- Processing
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- Synthesis



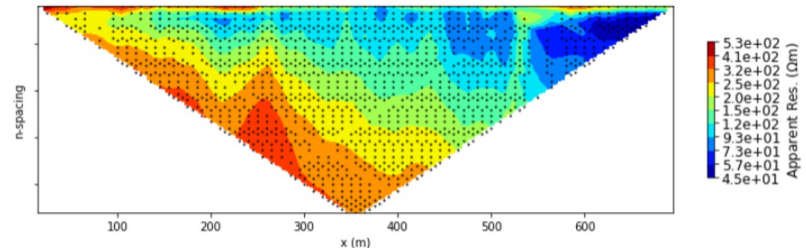
Survey: 2D DC resistivity



Wenner-Schlumberger



Dipole-Dipole



groundwater in Myanmar

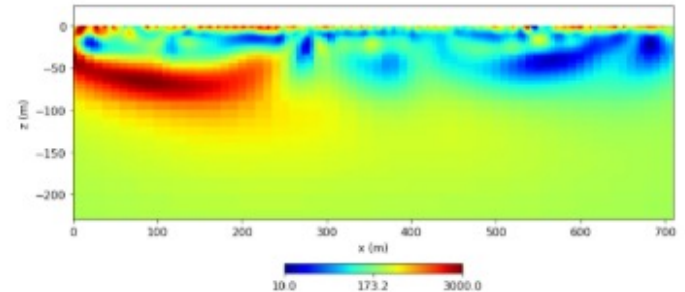
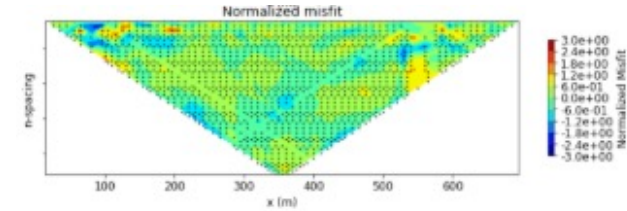
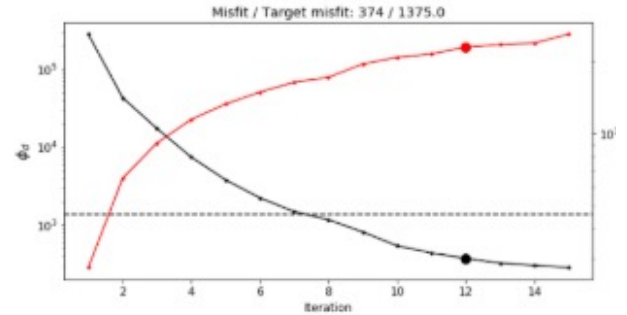
7 step framework

- Setup
- Physical properties
- Survey
- Data
- **Processing**
- Interpretation
- Synthesis

Inversion: estimate a model of the subsurface

$$\min_{\mathbf{m}} \phi(\mathbf{m}) = \phi_d(\mathbf{m}) + \beta\phi_m(\mathbf{m})$$

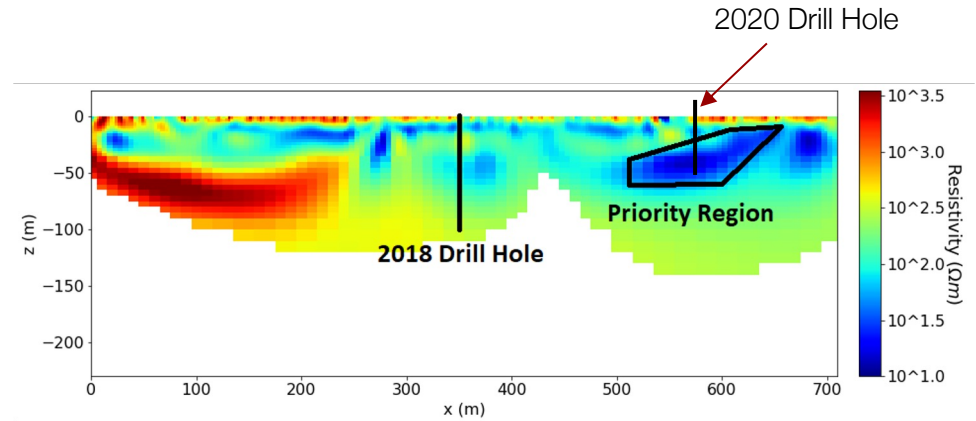
$$\text{s.t. } \phi_d \leq \phi_d^* \quad \mathbf{m}_L \leq \mathbf{m} \leq \mathbf{m}_U$$



groundwater in Myanmar

7 step framework

- Setup
- Physical properties
- Survey
- Data
- Processing
- **Interpretation**
- Synthesis



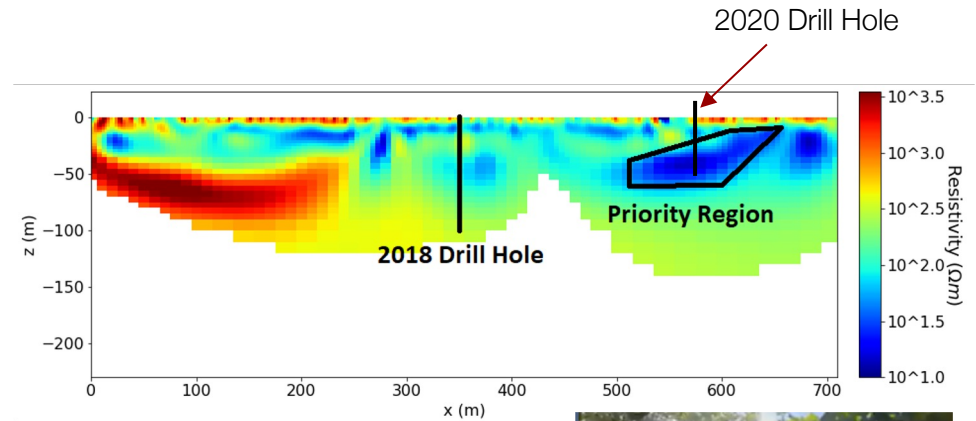
groundwater in Myanmar

7 step framework

- Setup
- Physical properties
- Survey
- Data
- Processing
- Interpretation
- **Synthesis**

Field surveys at 23+ villages by engineers, geoscientists in Myanmar

Acquired data, interpreted, spotted drill holes using open source software



>1000 gph



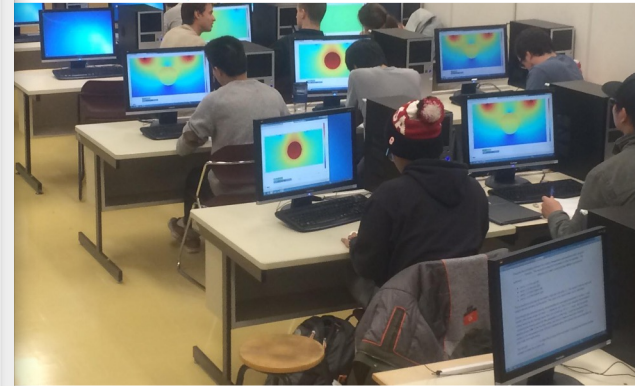
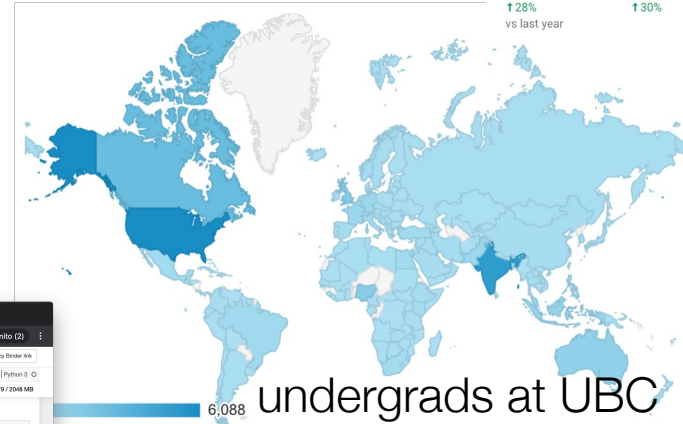
<https://geosci.xyz>



The top screenshot shows the GeoSci website with navigation links: why, who, presentators, contact. It features three visualization thumbnails: a color gradient map, a magnetic field vector plot, and a 3D block diagram. Below these is the GPG logo and the text 'Geophysics for Practising Geoscientists'. At the bottom is the GeoSci logo and 'DISC 2017 Geophysical Electromagnetics: Fundamentals & Applications'.

The middle screenshot shows a Jupyter notebook titled 'DC-3-layer-sounding-app'. It contains a function definition for 'ThreeLayer_app()' with input fields for survey parameters (Wenner, Schlumberger, ΔL , A_1 , A_2 , ρ_1 , ρ_2 , ρ_3) and field type (Model, Potential, E, J, Charge). A graph plots apparent resistivity A_s (Ohm) vs. distance ΔL (m) on a log-log scale, showing curves for Wenner and Schlumberger configurations. A specific value $\rho_a = 3115.53$ is marked on the graph.

The bottom screenshot shows a 2D cross-section of current density in the ground. The x-axis is distance x (m) from -40 to 40, and the z-axis is depth z (m) from 0 to -40. A color scale on the right indicates current density in A/m², ranging from 1.7e-01 to 2.3e-05.



electromagnetics course:
26 locations worldwide

case studies



groundwater



CO₂ sequestration

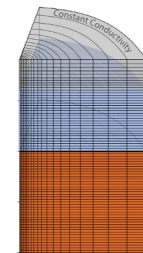


unexploded ordnance

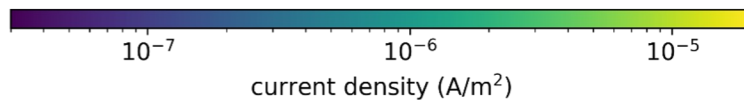
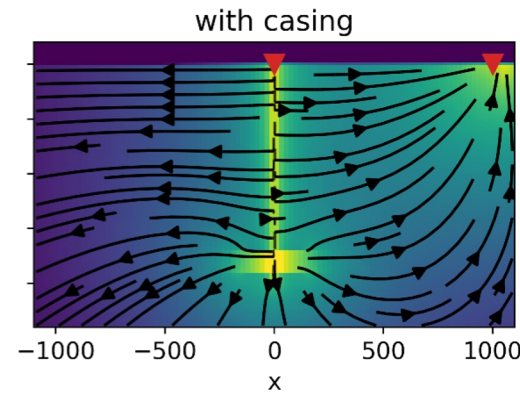
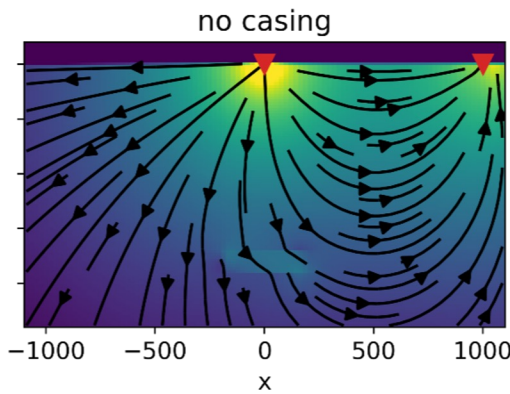
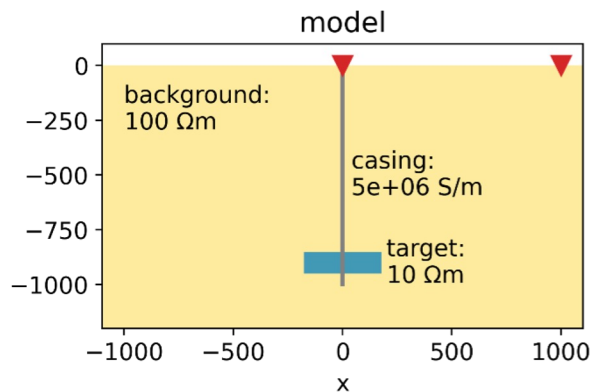
an example: monitoring with steel cased wells

applications: CO₂, geothermal, wastewater injection, ...

steel-casing: complicates numerical simulations (highly conductive, magnetic)
but... helpful for bringing current to depth



Cylindrical
mesh



electromagnetics: basic equations (quasi-static)

	Time	Frequency
Faraday's Law	$\nabla \times \vec{e} = -\frac{\partial \vec{b}}{\partial t}$	$\nabla \times \vec{E} = -i\omega \vec{B}$
Ampere's Law	$\nabla \times \vec{h} = \vec{j} + \frac{\partial \vec{d}}{\partial t}$	$\nabla \times \vec{H} = \vec{J} + i\omega \vec{D}$
No Magnetic Monopoles	$\nabla \cdot \vec{b} = 0$	$\nabla \cdot \vec{B} = 0$
Constitutive Relationships (non-dispersive)	$\vec{j} = \sigma \vec{e}$ $\vec{b} = \mu \vec{h}$ $\vec{d} = \epsilon \vec{e}$	$\vec{J} = \sigma \vec{E}$ $\vec{B} = \mu \vec{H}$ $\vec{D} = \epsilon \vec{E}$

* Solve with sources and boundary conditions

numerical simulations in SimPEG: frequency domain EM

Continuous equations

$$\nabla \times \vec{E} + i\omega \vec{B} = 0$$

$$\nabla \times \mu^{-1} \vec{B} - \sigma \vec{E} = \vec{J}_s$$

$$\hat{n} \times \vec{B}|_{\partial\Omega} = 0$$

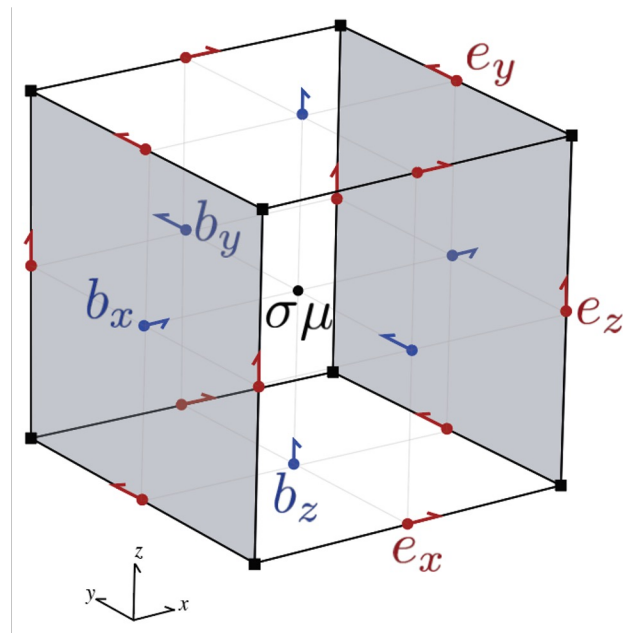
Finite volume discretization

$$\mathbf{C}\mathbf{e} + i\omega\mathbf{b} = 0$$

$$\mathbf{C}^\top \mathbf{M}_{\mu^{-1}}^f \mathbf{b} - \mathbf{M}_\sigma^e \mathbf{e} = \mathbf{M}^e \mathbf{j}_s$$

Eliminate \mathbf{b} to obtain a second-order system in \mathbf{e}

$$\underbrace{(\mathbf{C}^\top \mathbf{M}_{\mu^{-1}}^f \mathbf{C} + i\omega \mathbf{M}_\sigma^e)}_{\mathbf{A}(\sigma, \omega)} \underbrace{\mathbf{e}}_{\mathbf{u}} = \underbrace{-i\omega \mathbf{M}^e \mathbf{j}_s}_{\mathbf{q}(\omega)}$$



numerical simulations in SimPEG: frequency domain EM

```

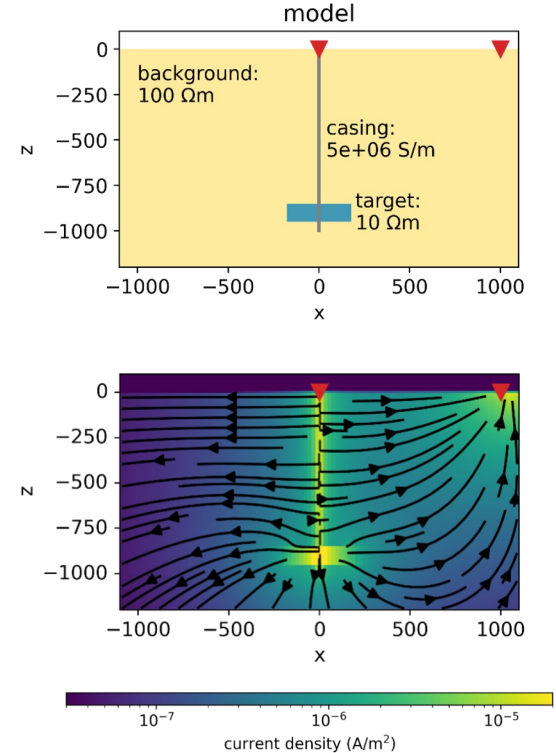
omega = 2 * pi * frequency

C = mesh.edge_curl
Mfmu_i = mesh.get_face_inner_product(1/mu_0)
Meos = mesh.get_edge_inner_product(sigma)

A = C.T * Mfmu_i * C + i * omega * Meos
Ainv = Solver(A) # acts like A inverse

Me = mesh.get_edge_inner_product()
q = -i * omega * Me * js
u = Ainv * q
    
```

$$\underbrace{(C^T M_{\mu-1}^f C + i\omega M_{\sigma}^e)}_{A(\sigma, \omega)} \underbrace{\mathbf{e}}_{\mathbf{u}} = \underbrace{-i\omega M^e \mathbf{j}_s}_{\mathbf{q}(\omega)}$$



numerical simulations in SimPEG: frequency domain EM

```
 $\omega = 2 * \text{pi} * \text{frequency}$ 
```

```
C = mesh.edge_curl
```

```
Mf $\mu$ i = mesh.get_face_inner_product(1/mu_0)
```

```
Me $\sigma$  = mesh.get_edge_inner_product(sigma)
```

```
A = C.T * Mf $\mu$ i * C + i *  $\omega$  * Me $\sigma$ 
```

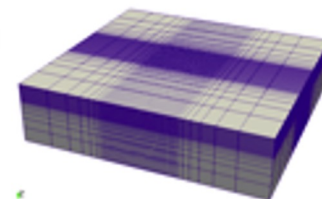
```
Ainv = Solver(A) # acts like A inverse
```

```
Me = mesh.get_edge_inner_product()
```

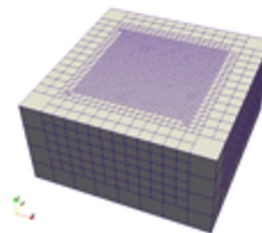
```
q = -i *  $\omega$  * Me * j_s
```

```
u = Ainv * q
```

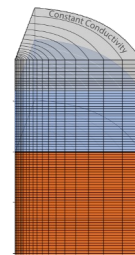
$$\underbrace{(C^T M_{\mu^{-1}}^f C + i\omega M_{\sigma}^e)}_{A(\sigma, \omega)} \underbrace{\mathbf{e}}_{\mathbf{u}} = \underbrace{-i\omega M^e \mathbf{j}_s}_{\mathbf{q}(\omega)}$$



Tensor

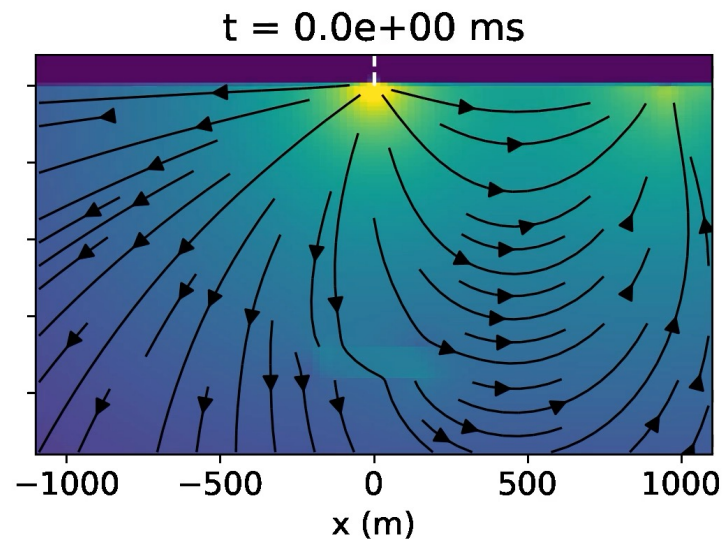
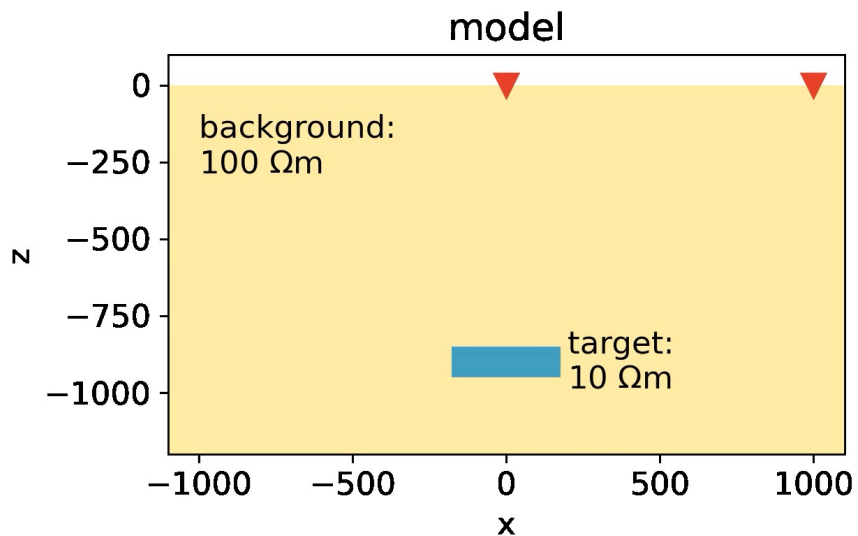


OcTree

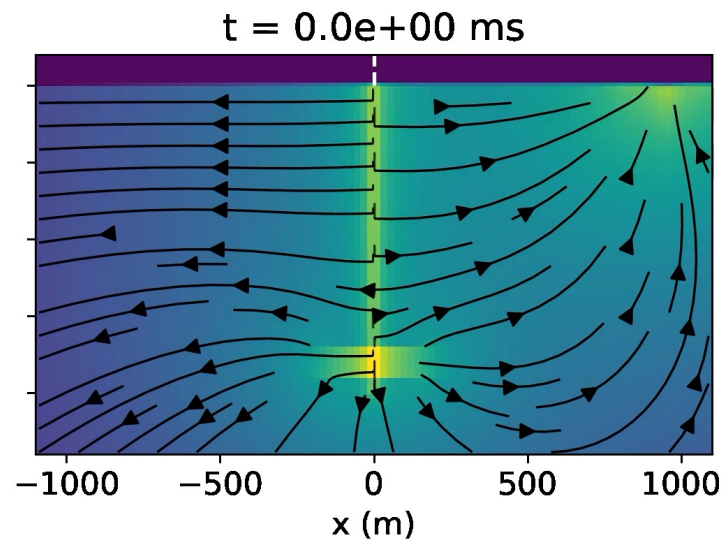
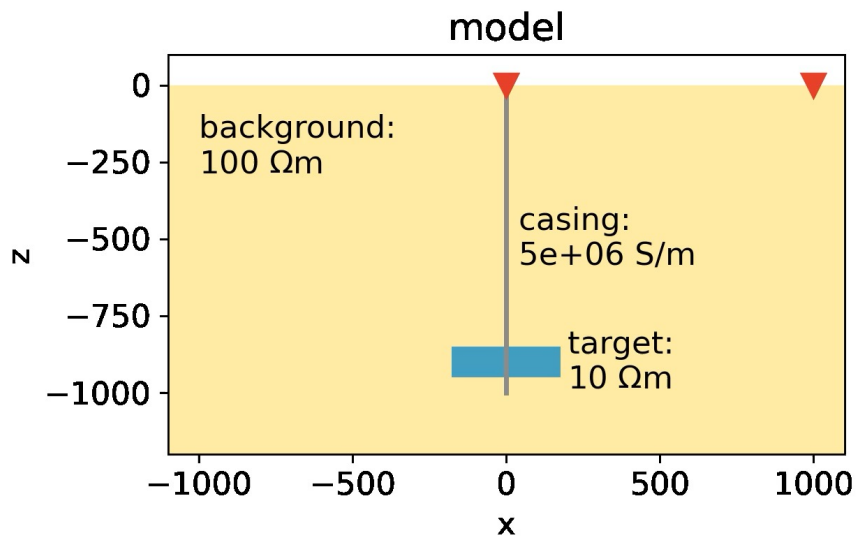


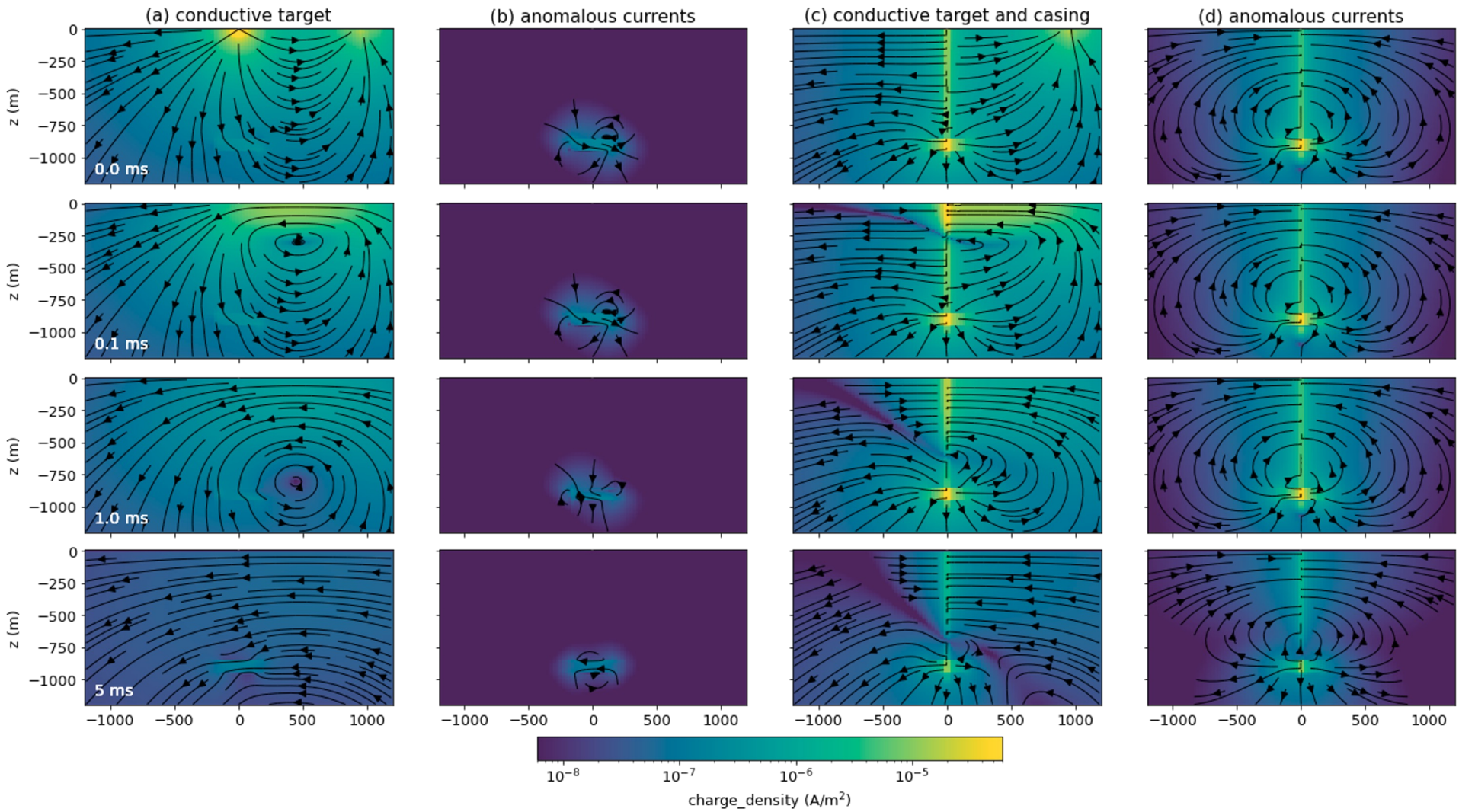
Cylindrical

EM experiment: no casing



EM experiment with casing



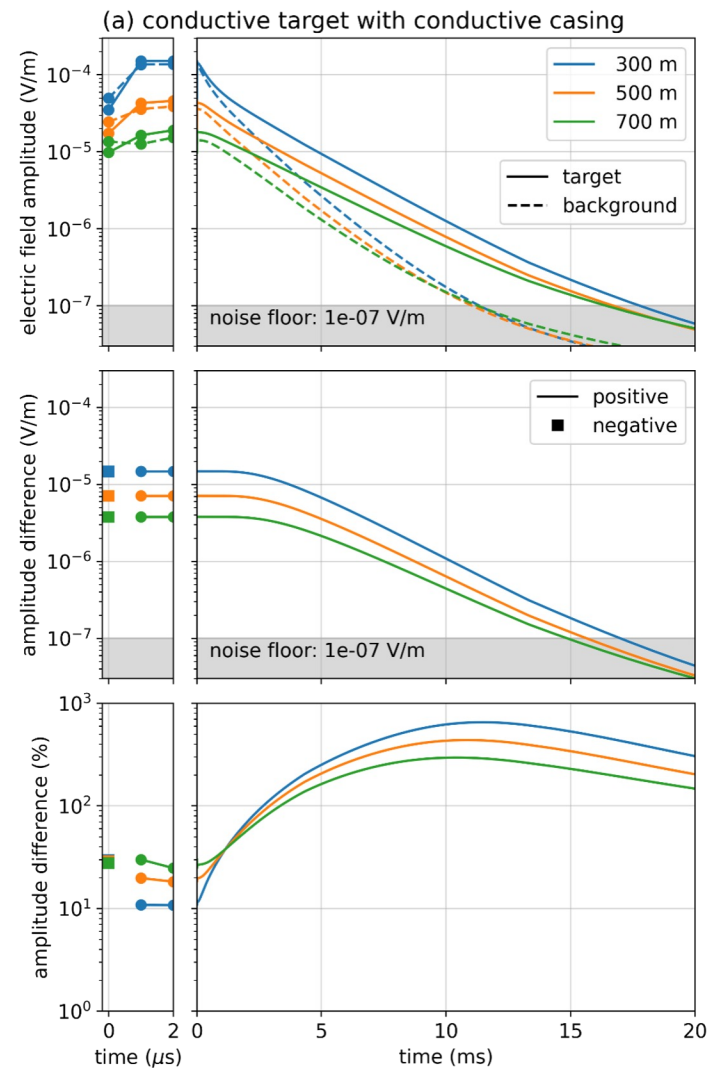
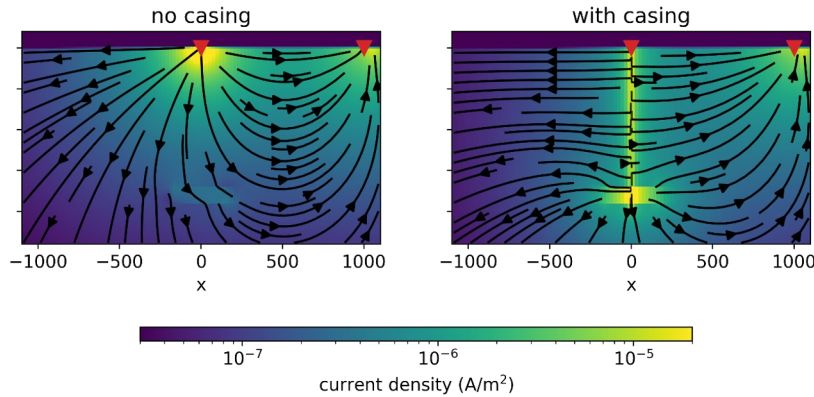


EM monitoring with casing

applications: CO₂, geothermal, wastewater injection, settings with infrastructure...

steel-casing: complicates numerical simulations (highly conductive, magnetic)

but... helpful for bringing current to depth



case studies



groundwater



CO₂ sequestration



unexploded ordnance

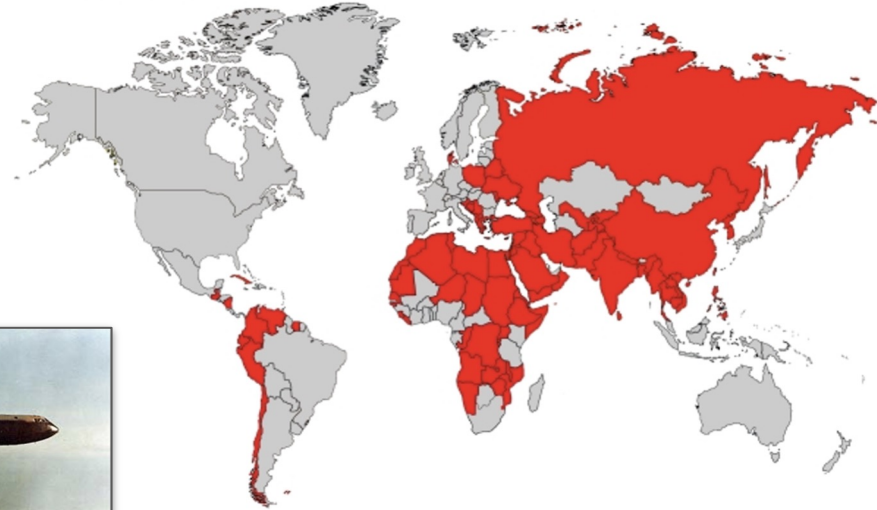
Unexploded ordnance (UXO): A global problem

Definition: a munition that was armed, fired and remains unexploded

Sources:

- Regions of military conflict
- Munitions and bombing ranges
- Avalanche control

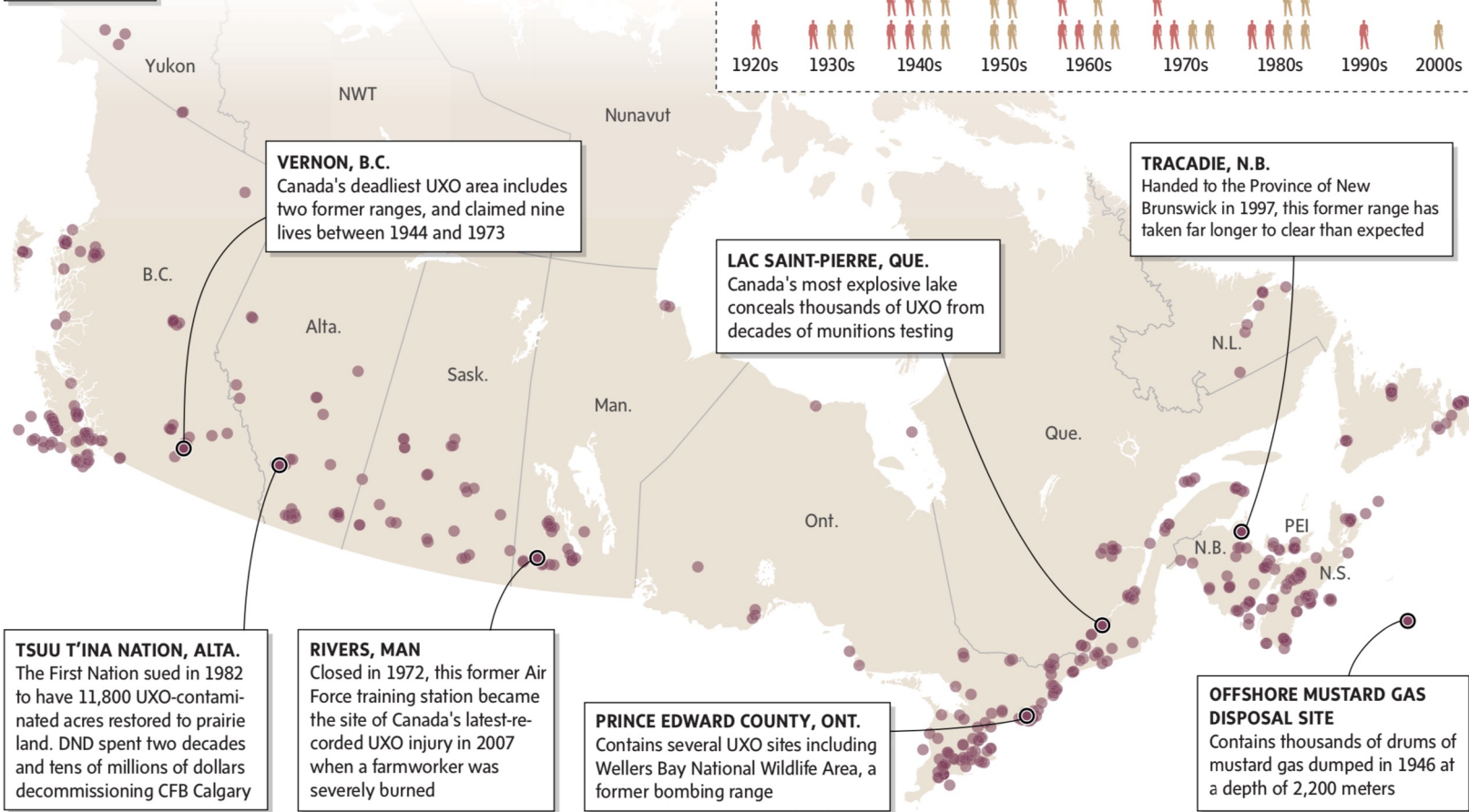
Countries significantly impacted by UXO



UXO SITES ACROSS CANADA

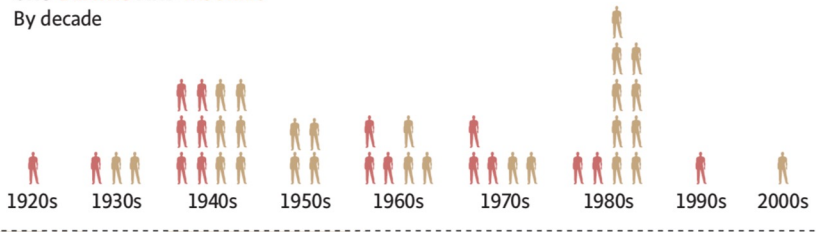
DND estimates 521 UXO sites across Canada may require clearance. A handful have proved particularly daunting and expensive—or in some instances, even fatal

● = UXO site

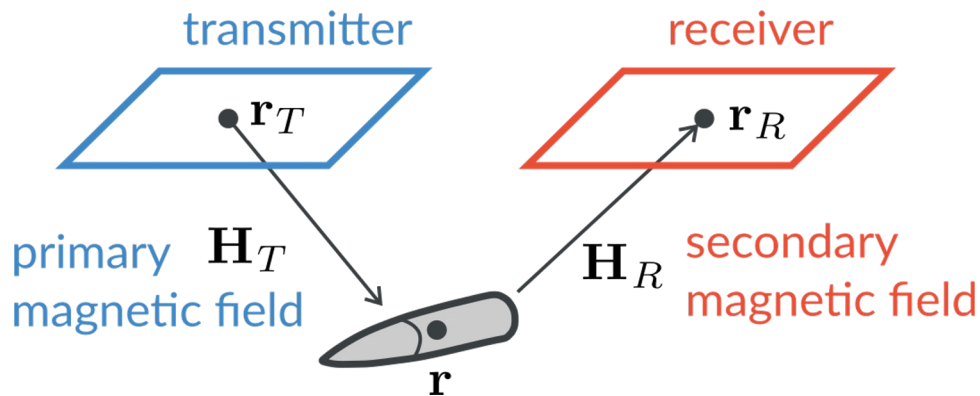


UXO DEATHS AND INJURIES

By decade



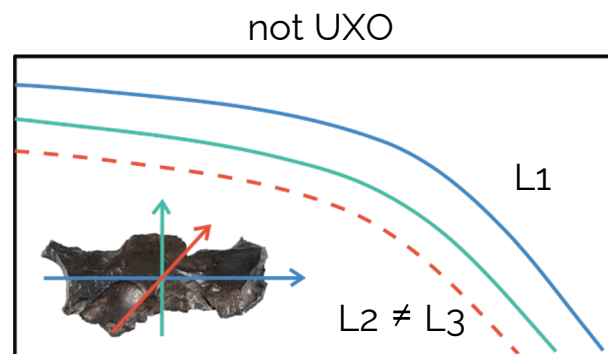
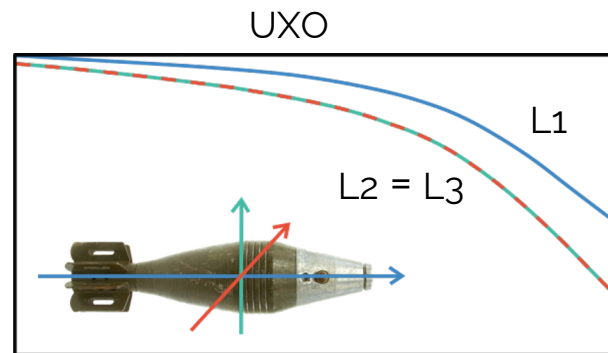
Time-domain EM response of a UXO



$$d(\mathbf{r}_R, t) = \mathbf{H}_R(\mathbf{r}, \mathbf{r}_R) \cdot \mathbf{P}(t) \cdot \mathbf{H}_T(\mathbf{r}, \mathbf{r}_T)$$

$$\mathbf{P}(t) = \mathbf{A}(\phi, \theta, \psi) \cdot \mathbf{L}(t) \cdot \mathbf{A}^T(\phi, \theta, \psi)$$

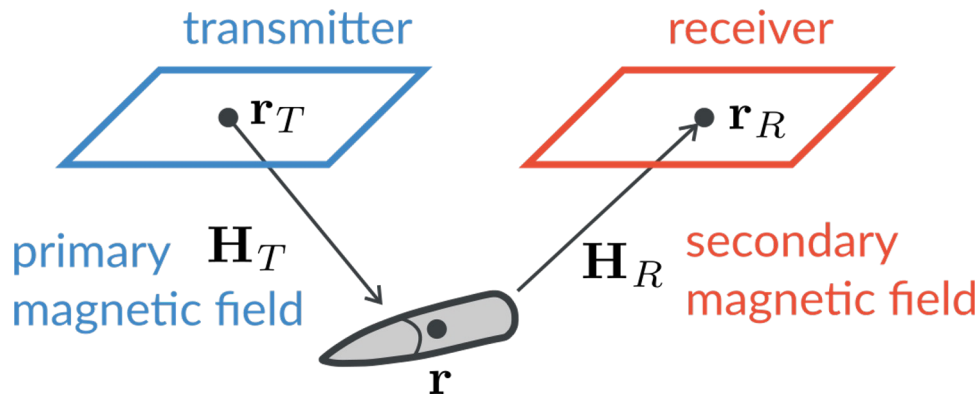
$$\mathbf{L}(t) = \begin{pmatrix} L_1 & & \\ & L_2 & \\ & & L_3 \end{pmatrix}$$



time

→

Time-domain EM response of a UXO

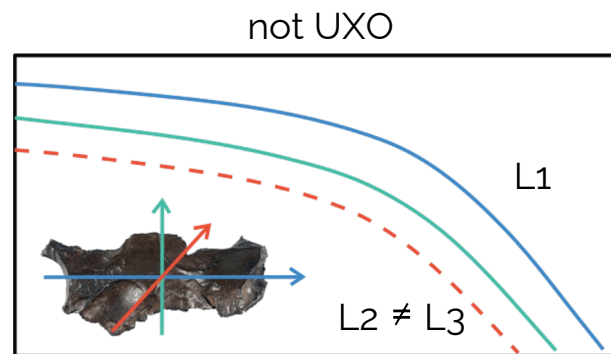
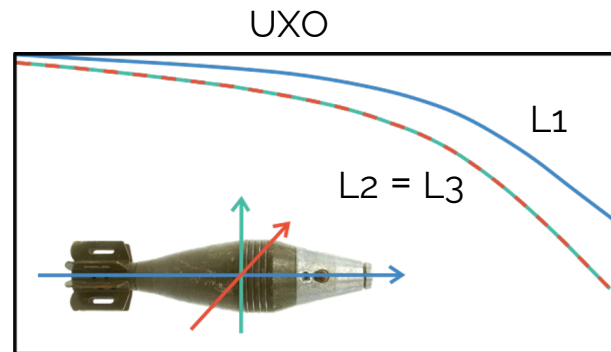


$$d(\mathbf{r}_R, t) = \mathbf{H}_R(\mathbf{r}, \mathbf{r}_R) \cdot \mathbf{P}(t) \cdot \mathbf{H}_T(\mathbf{r}, \mathbf{r}_T)$$

$$\mathbf{P}(t) = \mathbf{A}(\phi, \theta, \psi) \cdot \mathbf{L}(t) \cdot \mathbf{A}^T(\phi, \theta, \psi)$$

$$\mathbf{L}(t) = \begin{pmatrix} L_1 & & \\ & L_2 & \\ & & L_3 \end{pmatrix}$$

traditional approach: use inversion to get these and then classify by comparing $\mathbf{L}(t)$ with ordnance library



time

→

Survey and system



UltraTEMA-4 system:

4 transmitters

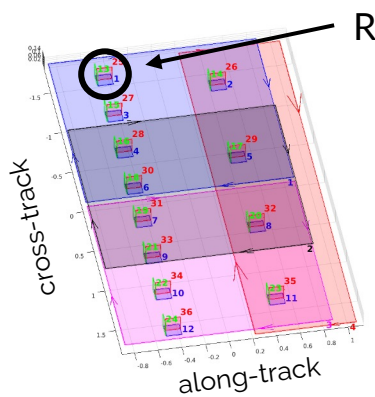
12 receivers (3-component)

27 time channels

Height above seabed: ~1 m

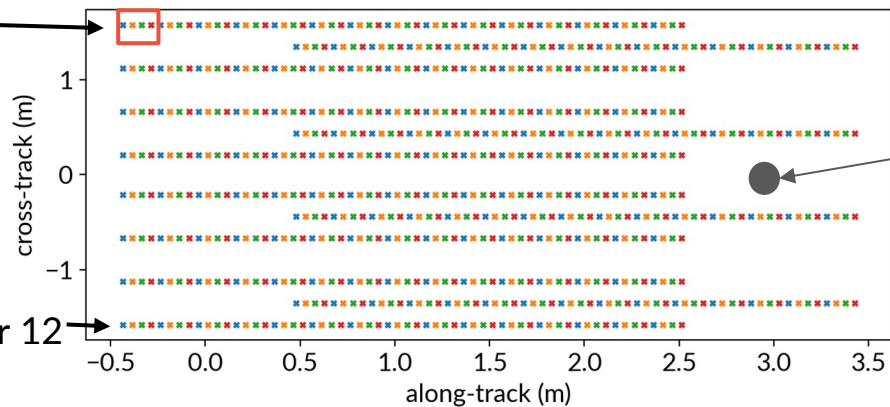
Data

moving direction



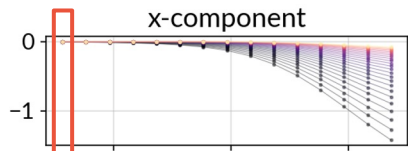
Receiver 1

Receiver 12



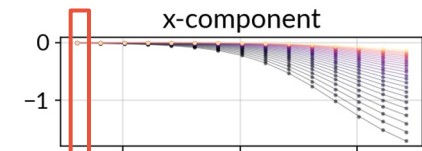
Transmitter 1

x-component



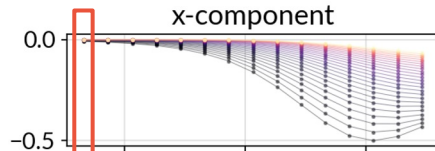
Transmitter 2

x-component



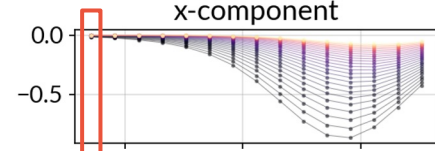
Transmitter 3

x-component

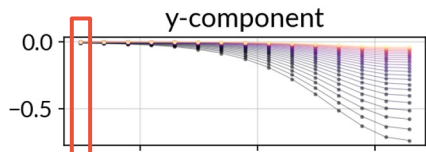


Transmitter 4

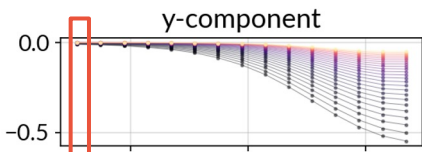
x-component



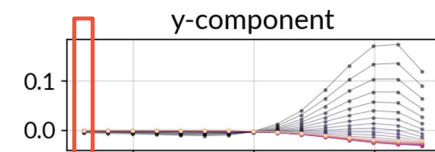
y-component



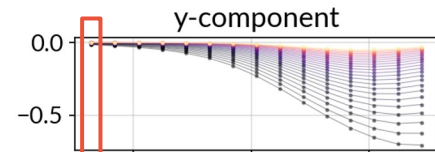
y-component



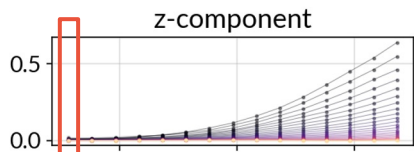
y-component



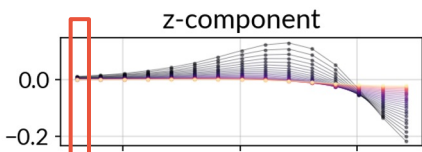
y-component



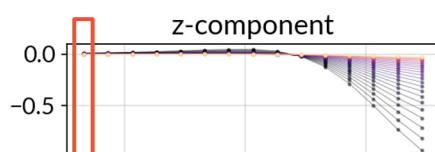
z-component



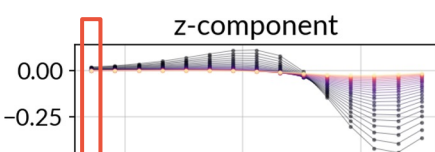
z-component



z-component



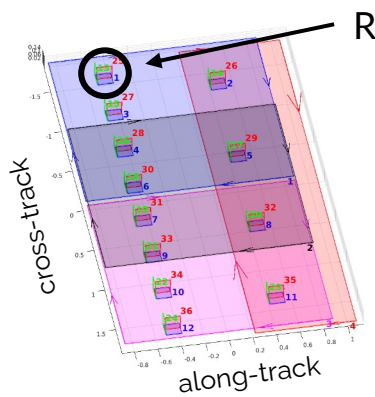
z-component



Data

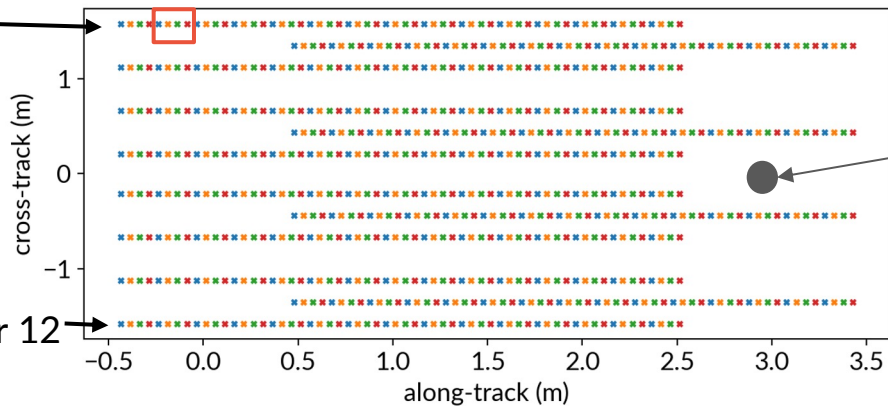
moving direction

time



Receiver 1

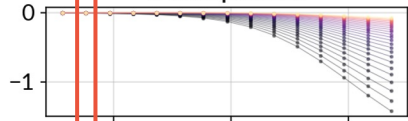
Receiver 12



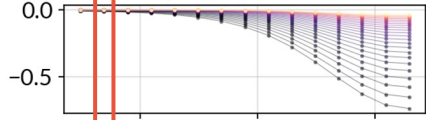
UXO

Transmitter 1

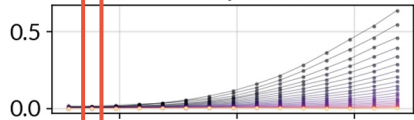
x-component



y-component



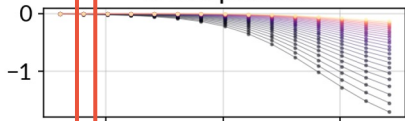
z-component



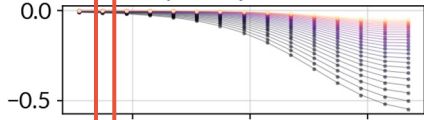
along-track (m)

Transmitter 2

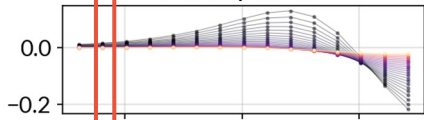
x-component



y-component



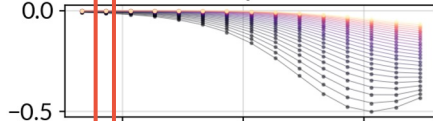
z-component



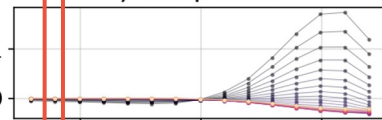
along-track (m)

Transmitter 3

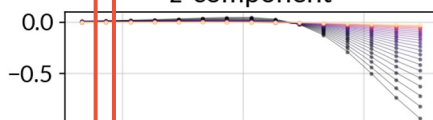
x-component



y-component



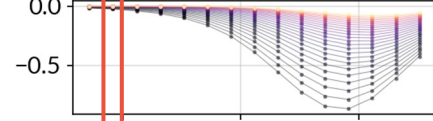
z-component



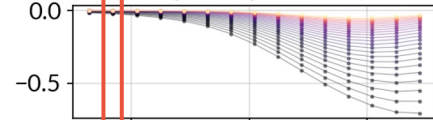
along-track (m)

Transmitter 4

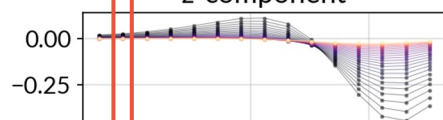
x-component



y-component



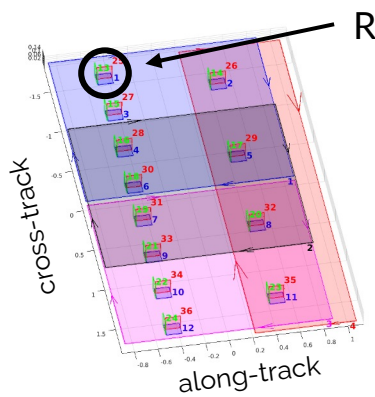
z-component



along-track (m)

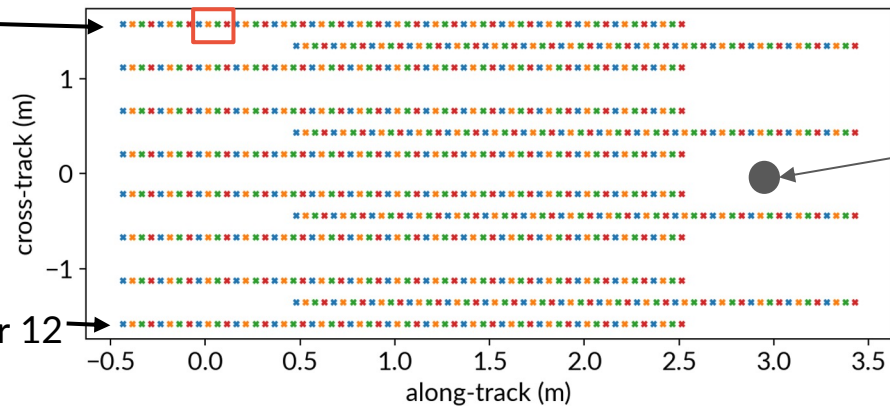
Data

moving direction



Receiver 1

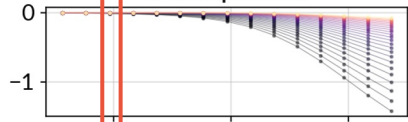
Receiver 12



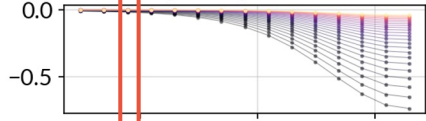
UXO

Transmitter 1

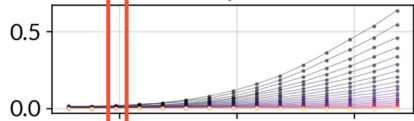
x-component



y-component



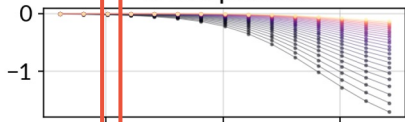
z-component



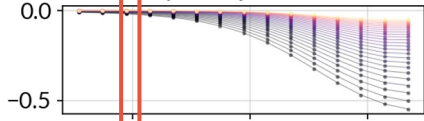
along-track (m)

Transmitter 2

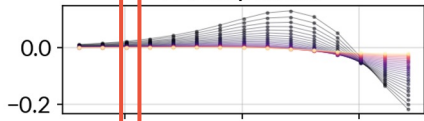
x-component



y-component



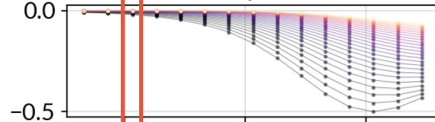
z-component



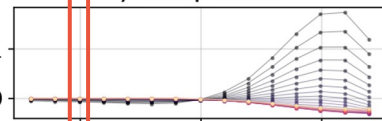
along-track (m)

Transmitter 3

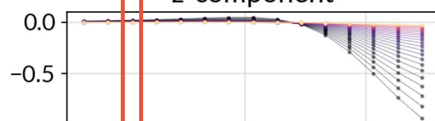
x-component



y-component



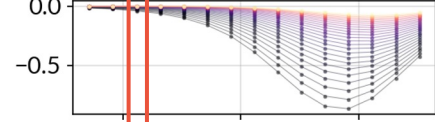
z-component



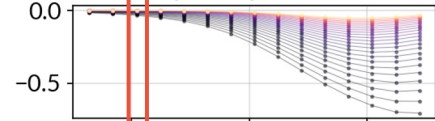
along-track (m)

Transmitter 4

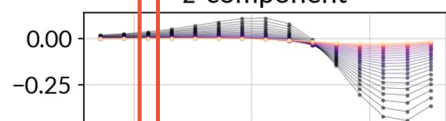
x-component



y-component



z-component

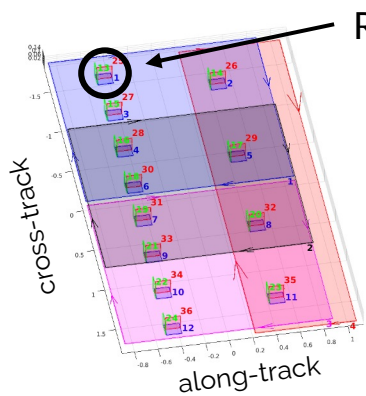


along-track (m)

Data

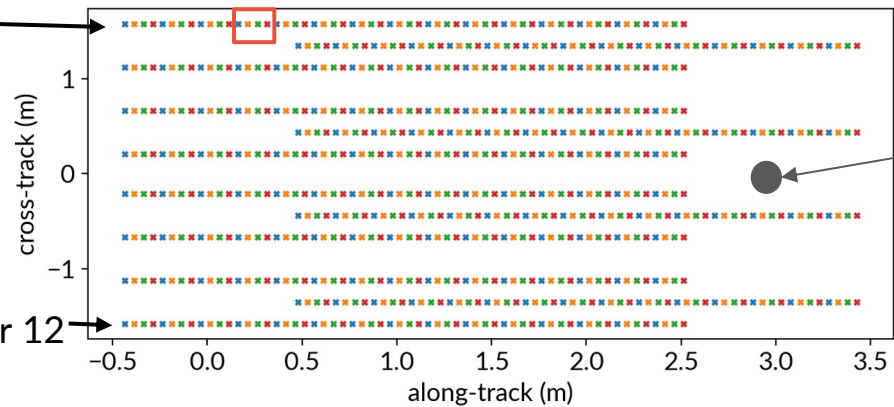
moving direction

time



Receiver 1

Receiver 12



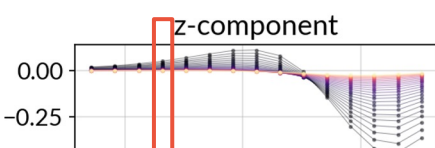
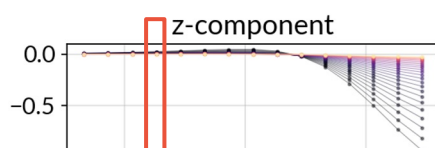
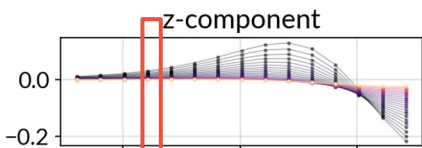
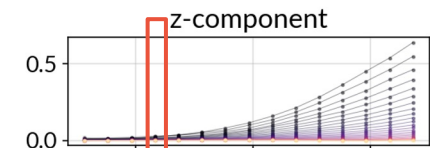
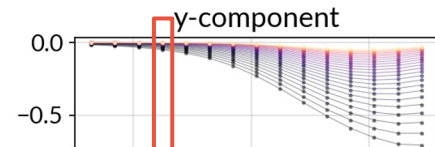
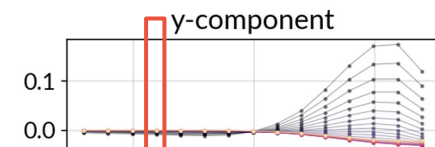
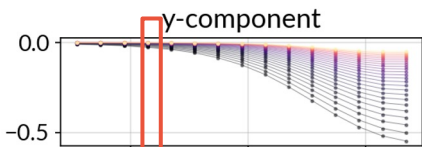
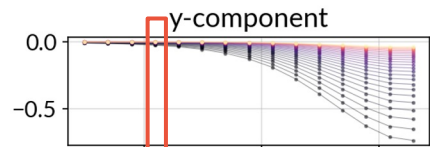
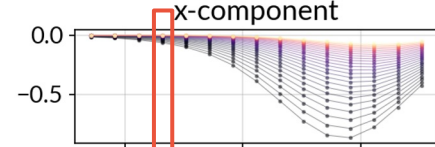
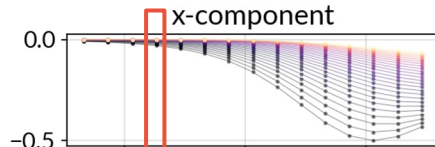
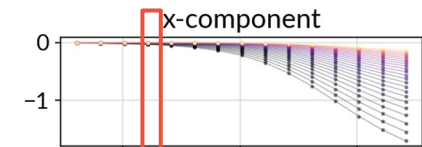
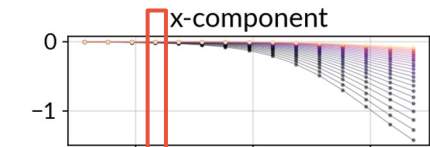
UXO

Transmitter 1

Transmitter 2

Transmitter 3

Transmitter 4



along-track (m)

along-track (m)

along-track (m)

along-track (m)

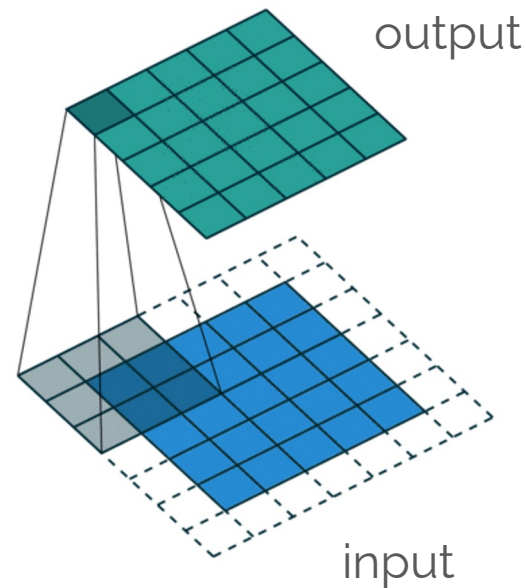
Can we classify directly from EM data?

Convolutional neural networks (CNNs)

- Convolutional filters look at spatial / temporal features in the data

Training EM data for UXO classification:

- Available library of ordnance objects with polarizations
- Fast geophysical simulations



Convolutional Neural Networks (CNNs)

Supervised classification problem

provided data with labels, construct a function (network) that outputs labels given input data

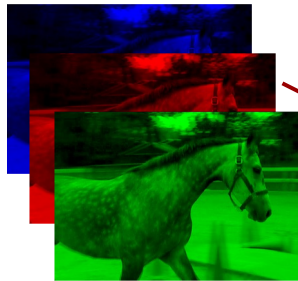
Input

Features

Neural network

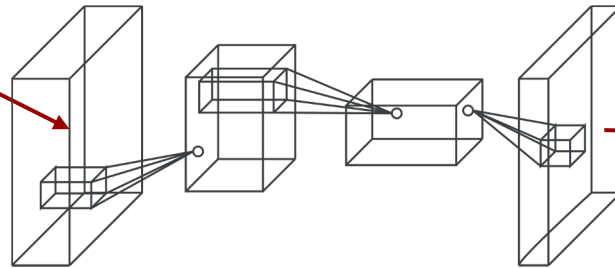
Class probabilities

predicted



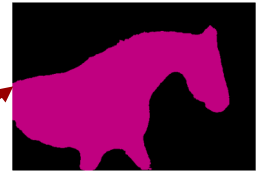
\mathbf{X}

$(n_x \times n_y \times 3)$



$$\mathbf{s} = \mathcal{F}_\theta(\mathbf{X})$$

$p(j|\mathbf{s})$



true



Image segmentation

Convolutional Neural Networks (CNNs)

J. Lopez-Alvis



How do we translate these things to the UXO classification problem?

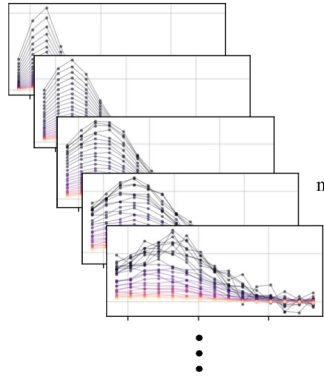
Input

Features

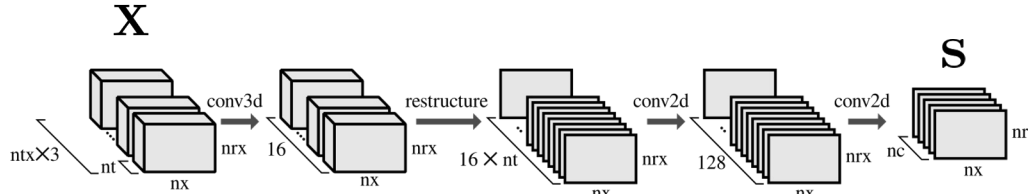
Neural network

Class probabilities

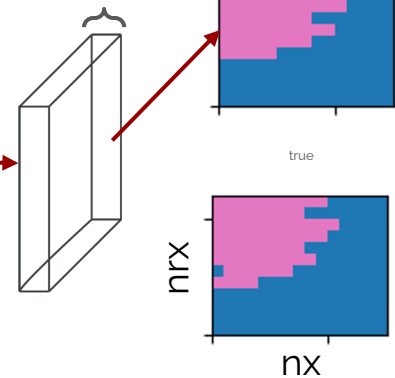
predicted



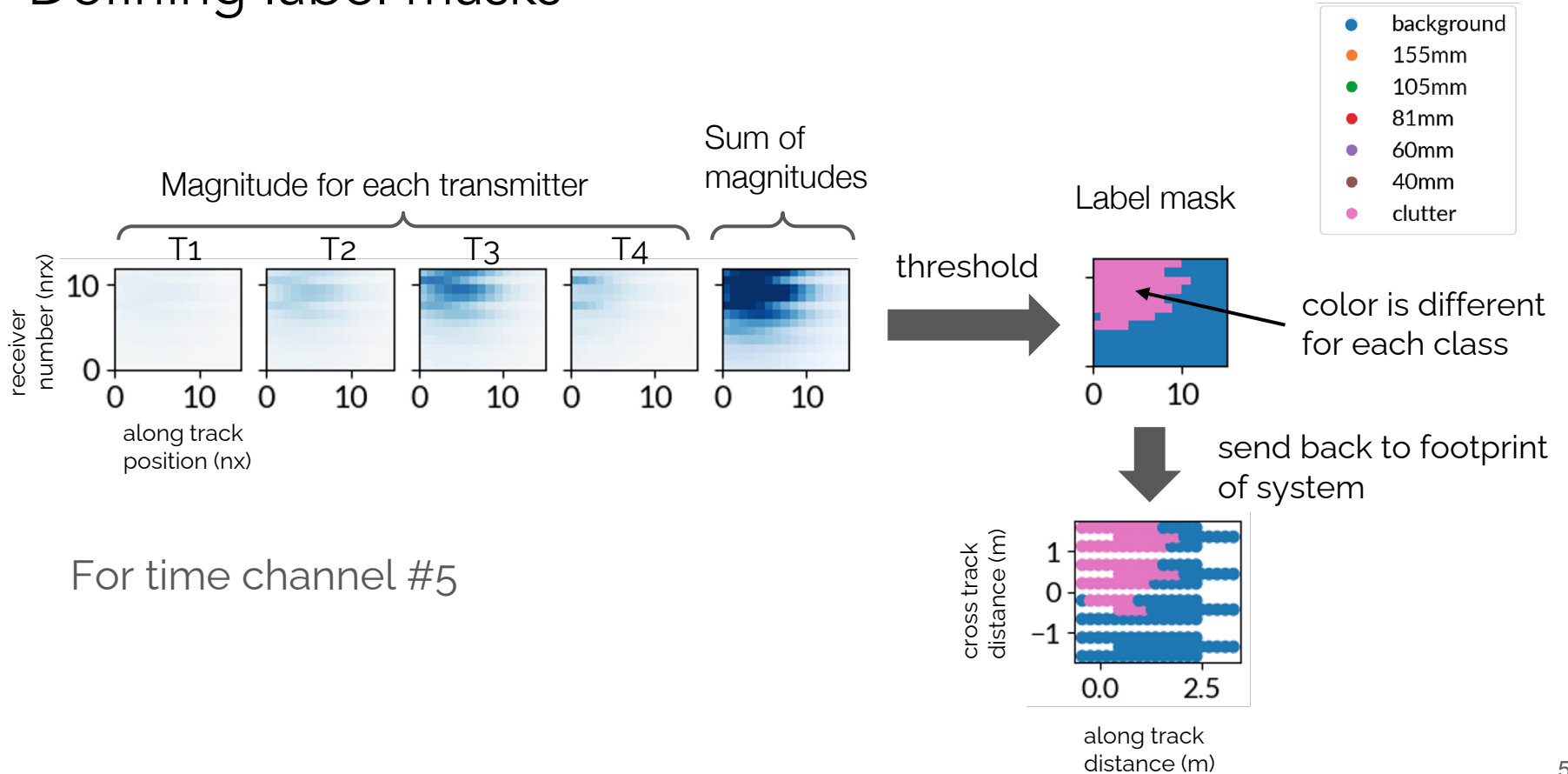
$$(nx \times nrx \times nt \times (ntx \times 3))$$



- $ntx = 4$, number of transmitters
- $nrx = 12$, number of receiver cubes
- $nt = 27$, number of time channels
- $nx = 15$, number of positions in spatial window (along track)
- $nc = 8$, number of classes

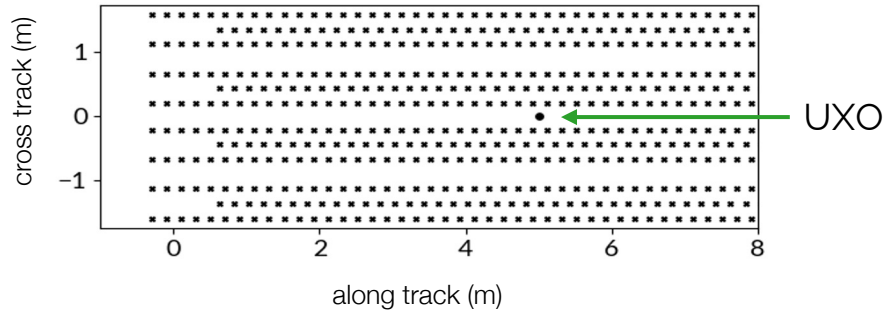


Defining label masks



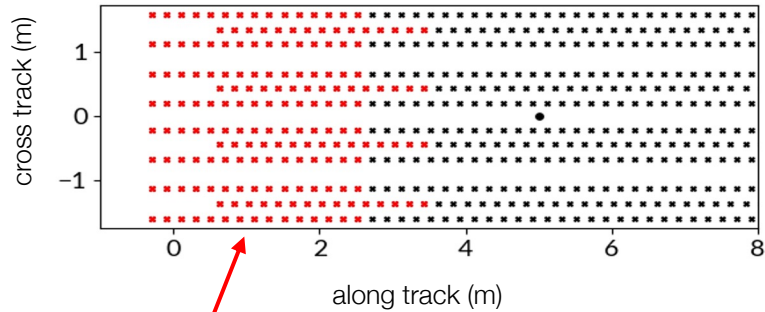
Application to a line of data

Input features are created by using a sliding window:



Application to a line of data

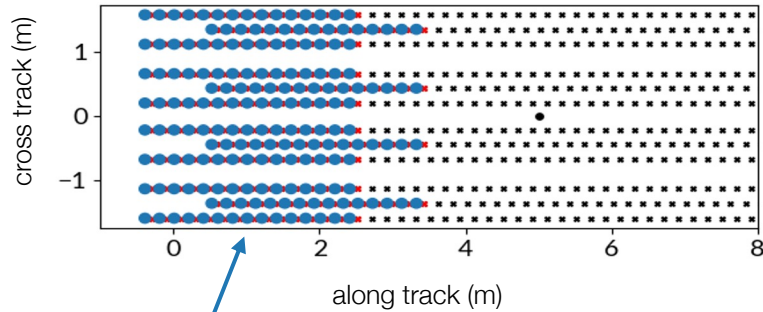
Input features are created by using a sliding window:



sliding window

Application to a line of data

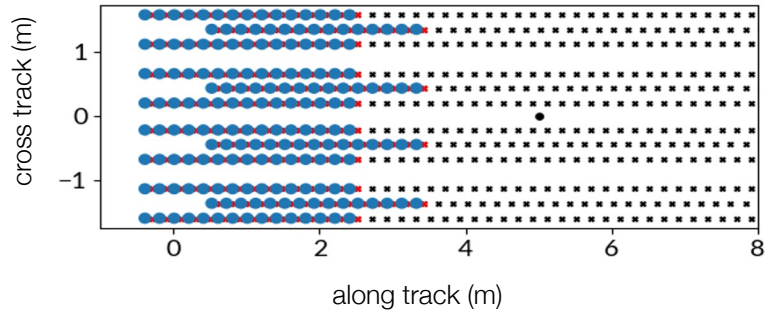
Input features are created by using a sliding window:



Neural network output (class)

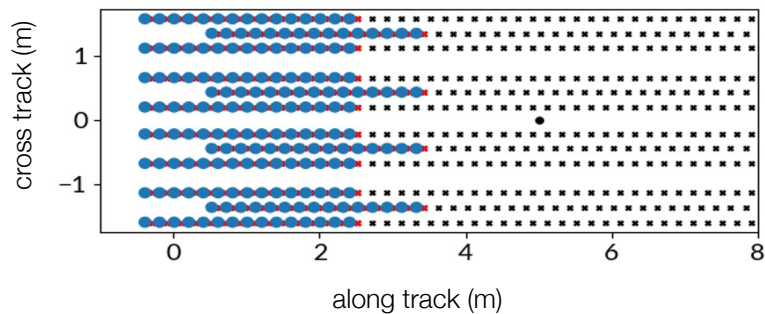
Application to a line of data

Input features are created by using a sliding window:

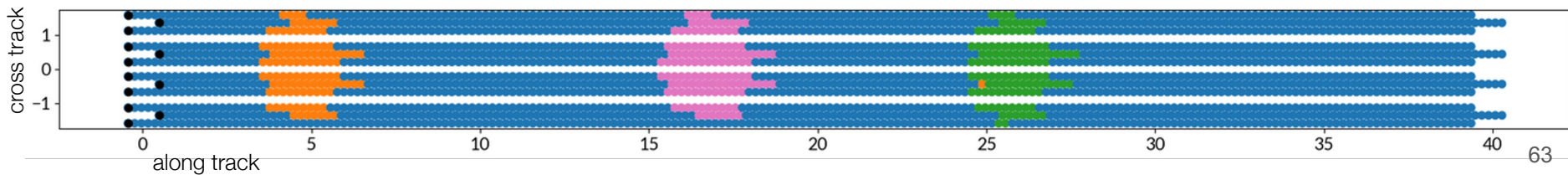


Application to a line of data

Input features are created by using a sliding window:



Single acquisition line with three objects (classification results)



Training dataset: dipole forward model

7 classes:

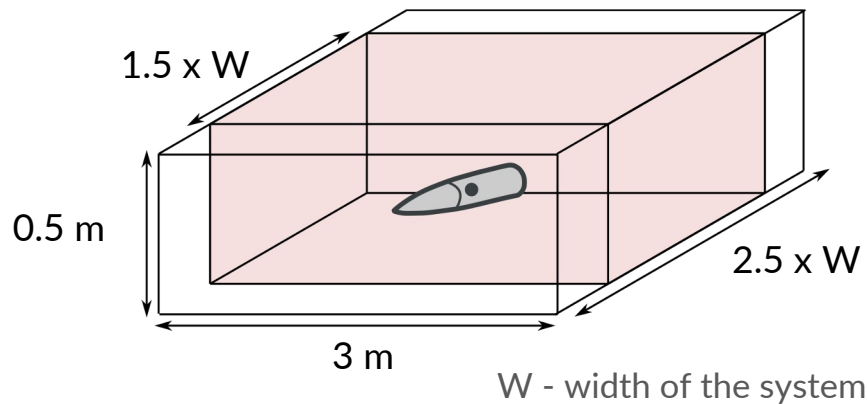
- background
- 155 mm
- 105 mm
- 81 mm
- 60 mm
- 40 mm
- clutter

of realizations:

- Training (multi-class): 400,000
- Validation: 10,000

Randomly assign:

- Target class
- Location (x, y, z)
- Orientation (ϕ, θ, ψ)
- Noise level: approximate from background areas in the field data



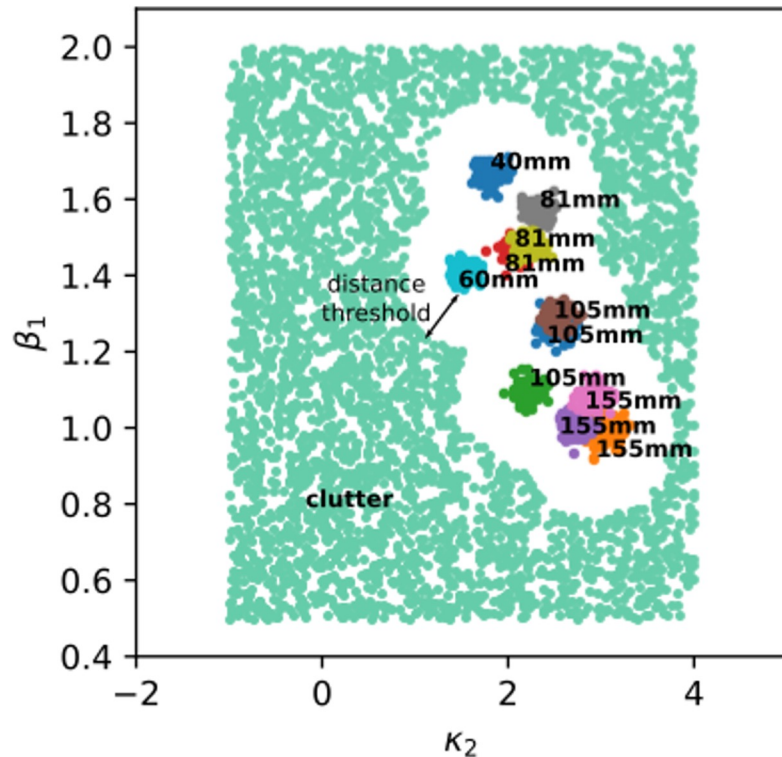
Clutter design

Physics-based parameterization of EM decay:

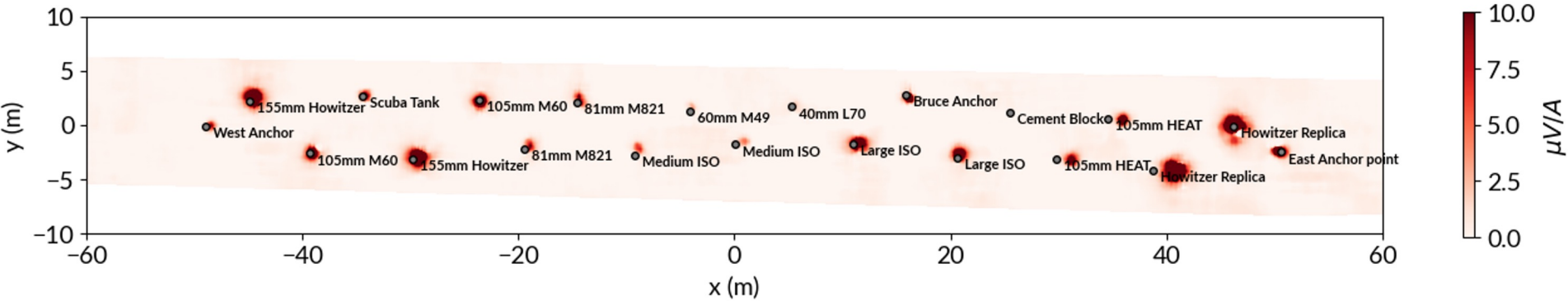
$$L(t) = kt^{-\beta} \exp(-t/\gamma)$$

9 parameters in total:

1. Estimate values for UXOs in ordnance library
2. Define a distance threshold
3. Fill the remaining space with clutter objects

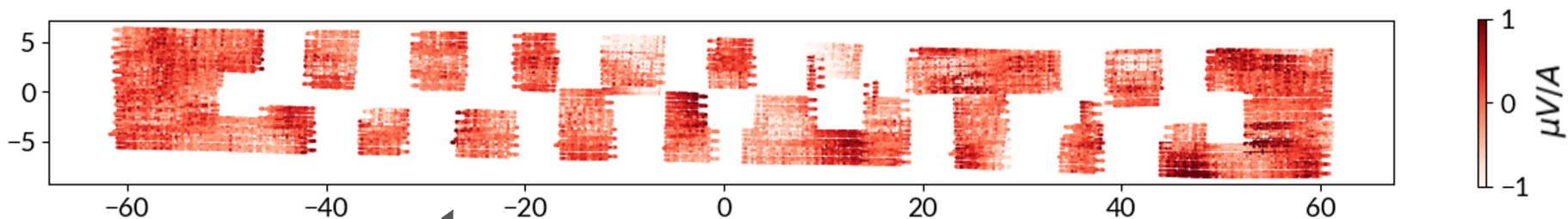
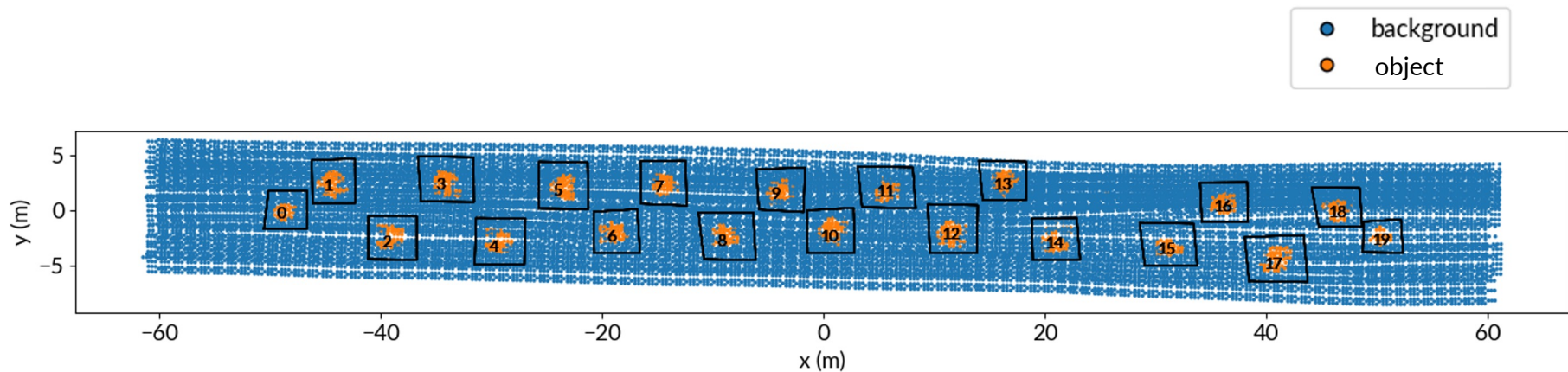


Field data - Sequim Bay test site (2022)



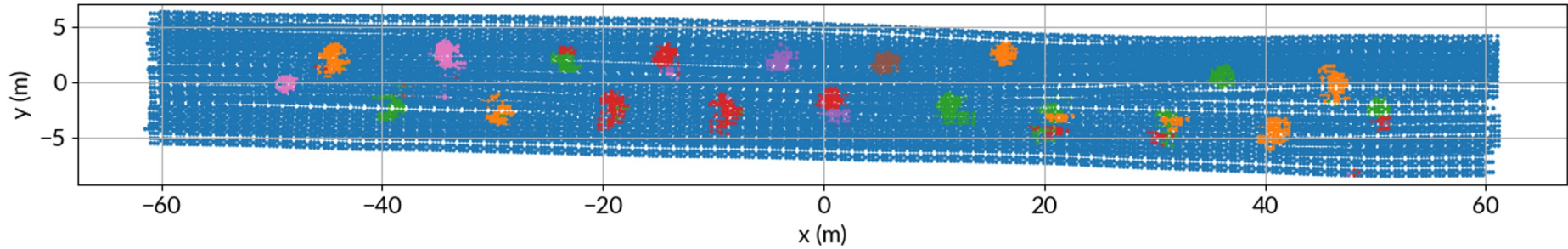
- 7 acquisition lines
- Current workflow requires seawater response removed
- Some ISOs present, we used only UXO objects to train (e.g. medium ISO ~ 81mm)

Get correlated noise using a binary classifier

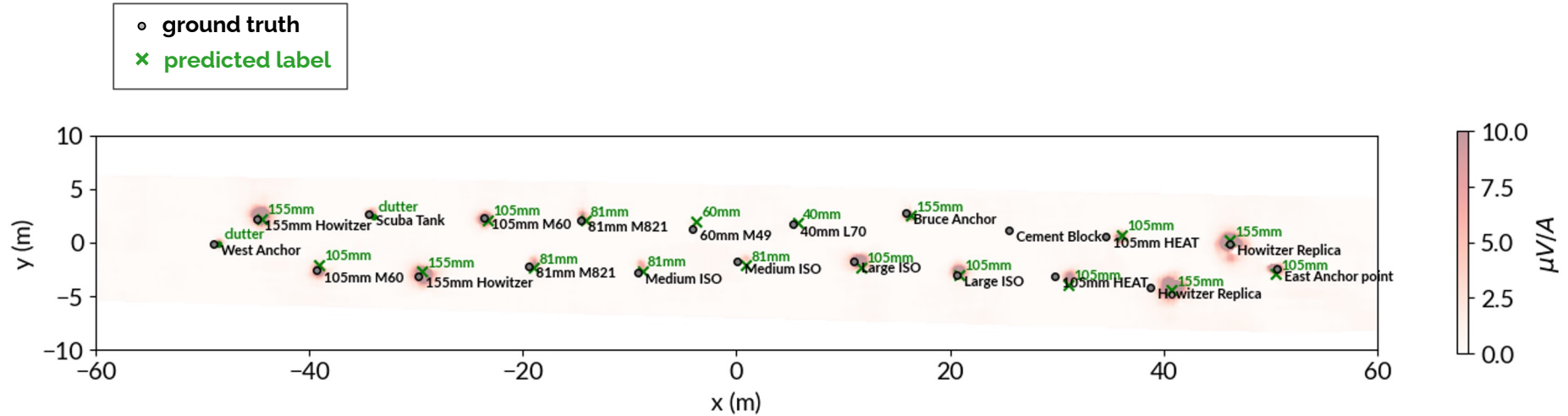


get spatially correlated noise from this subset of field data

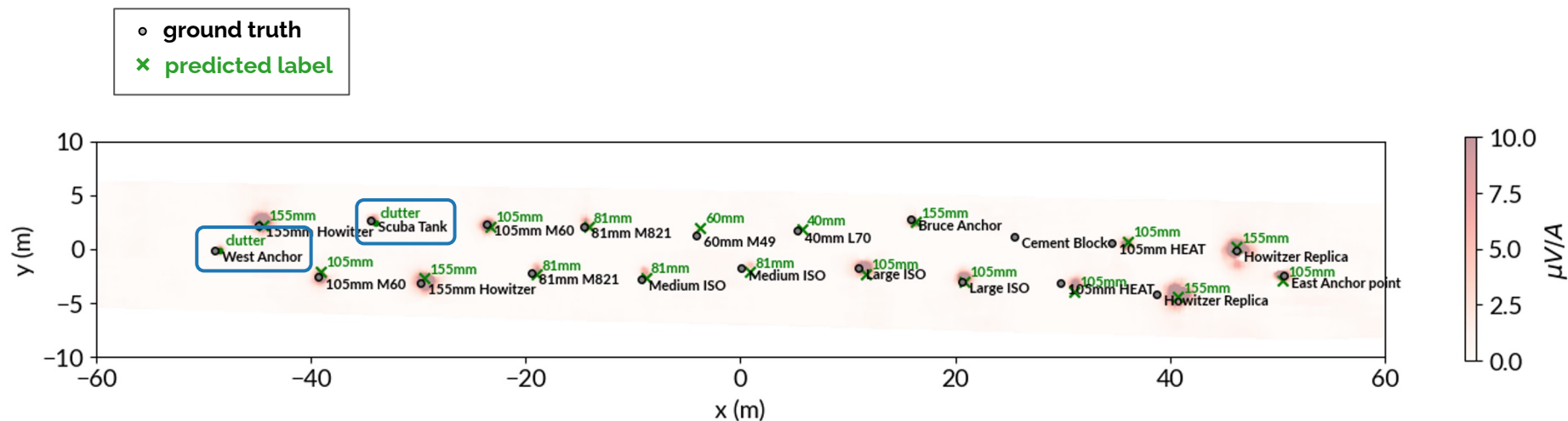
Classification map (output of CNN)



Predicted labels vs truth labels - field data

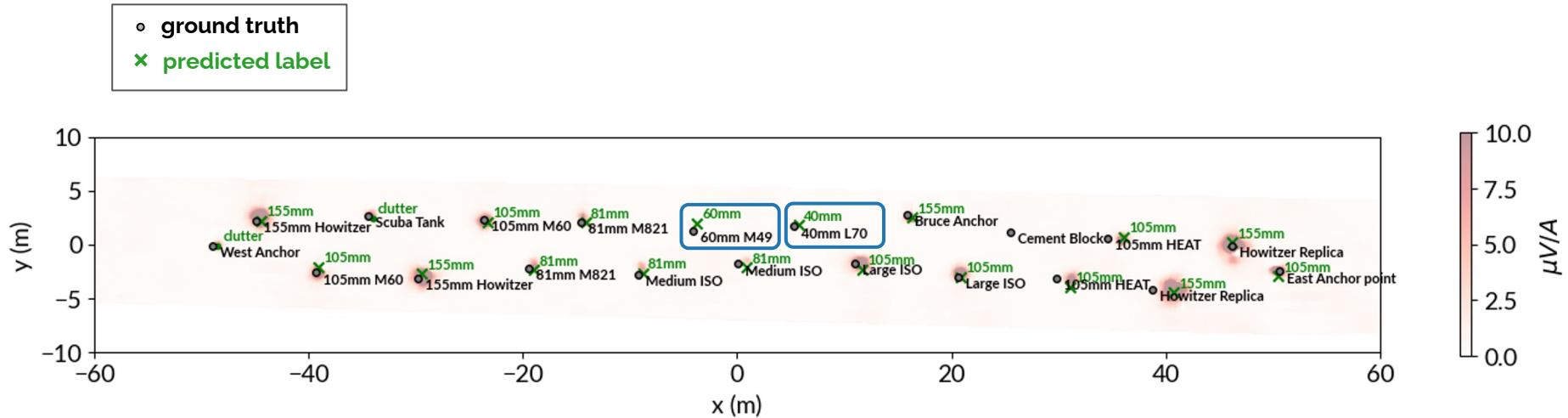


Predicted labels vs truth labels - field data



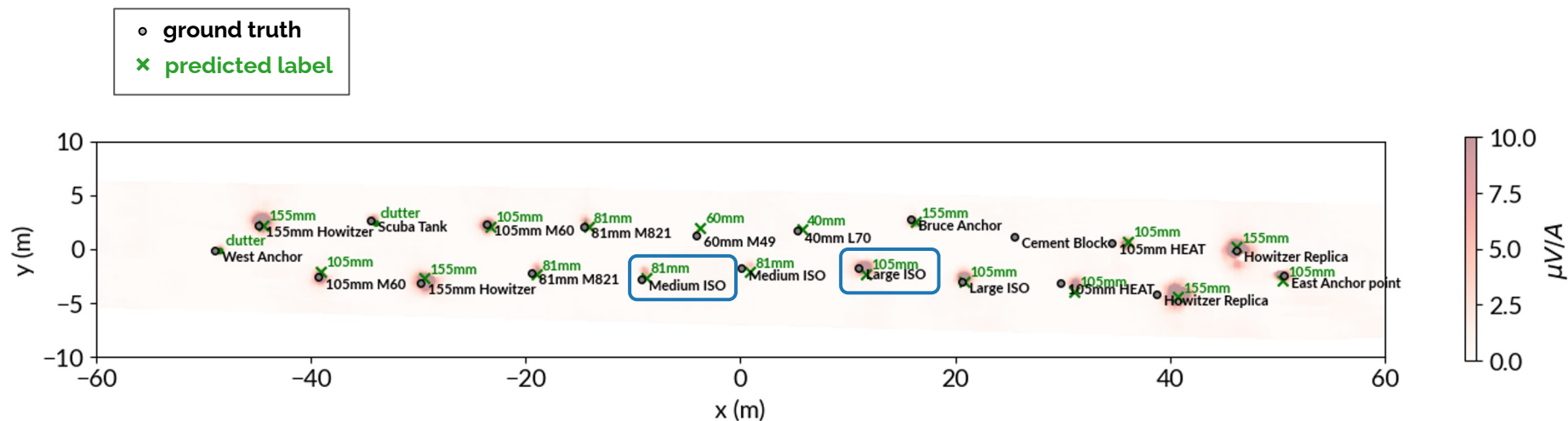
- Discriminated clutter

Predicted labels vs truth labels - field data



- Discriminated clutter
- Did not miss any UXO

Predicted labels vs truth labels - field data



- Discriminated clutter
- Did not miss any UXO
- Classified to closest object in training dataset

UXO classification

Key points:

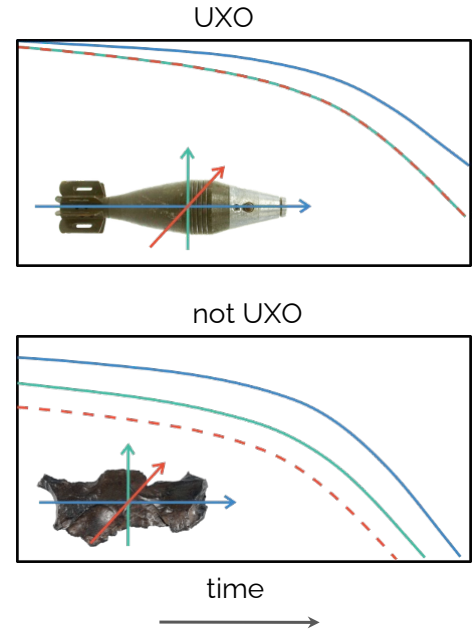
- image-segmentation architecture
- clutter design and correlated noise are important

Some limitations:

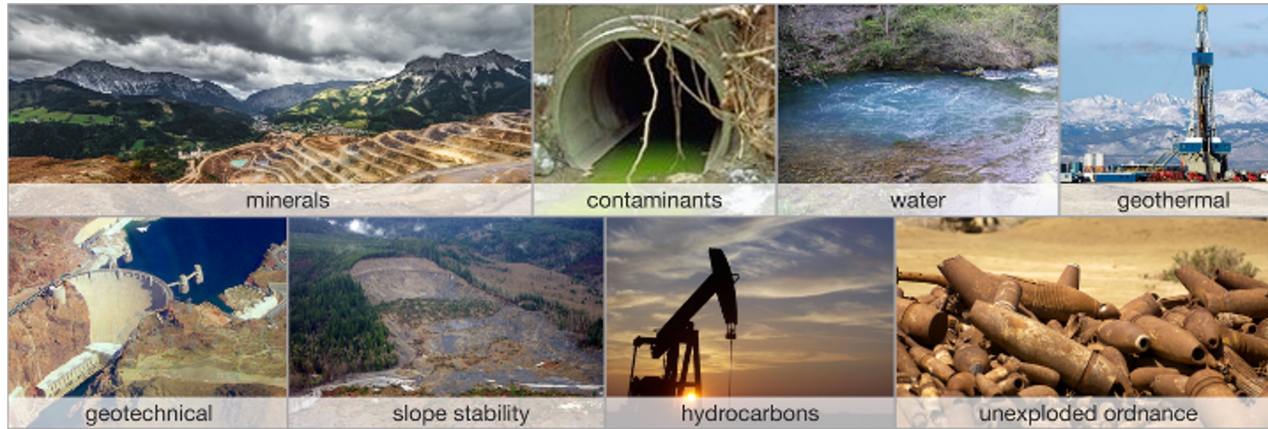
- not trained to handle multiple objects in the same window
- objects used to generate synthetic data should be close to the objects on the field

Future work:

- explore multi-target scenario
- combining with traditional approach



important problems



Electrical conductivity can be a diagnostic physical property in many settings

Electromagnetic methods can be useful across a wide range of scales

Numerical tools for simulation, inversion, machine learning enable understanding of physical responses, invaluable for interpretation of data

Thank you!



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